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Abstract

New York State’s School Tax Relief Program, STAR, provides state-funded exemptions from school property taxes. From 2006-07 to 2008-09, these exemptions were supplemented with rebates, which arrived as a check in the mail. The purpose of this paper is to determine whether these two algebraically equivalent but administratively distinct policies of tax relief led to different behavioral responses. Drawing on behavioral economics, we explore the impact of STAR on the price elasticity of demand for school quality based on the concepts of salience and framing. Our main results are that the behavioral impact of the STAR provisions are larger (1) when they are most salient and (2) when they are framed as a property tax reduction instead of as unlabeled income. We also show that salience and framing can help to explain flypaper effects linked to state educational aid and to the resources that are freed up by a decline in the price of education.

JEL Codes: H31, H71, H75

Key Words: Property Tax Relief, Demand for Education, Salience, Framing, Flypaper Effects

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Introduction

New York State’s (NYS) School Tax Relief Program, STAR, provides property tax exemptions for homeowners in a form equivalent to a matching grant. From FY2006-07 to FY2008-09, these exemptions were supplemented with mailed rebate checks that took the same form. The STAR exemptions and rebates alter voters’ tax shares for education. Our main objective is to determine whether the associated price elasticity of demand for education is different for these two algebraically equivalent but administratively distinct forms of tax relief, and, if so, whether the difference can be explained by the concepts of salience and framing.

These two concepts are drawn from the literature on behavioral public finance, much of which has been inspired by Chetty, Looney, and Kroft (2009; CLK for short). CLK ask whether the behavioral impact of tax provisions depends on the “salience” of those provisions, where salience is defined as visibility or prominence. As discussed below, CLK and several other studies find an affirmative answer to this question, and we provide a new way to address it. Our analysis also complements the Cabral and Hoxby (2012) study of property tax salience based on the use of escrow accounts, and other studies on whether behavioral responses to new resources depend on the household mental account in which those resources appear—a type of framing.

Although our focus is on the natural experiment created by the temporary STAR rebate program, similar issues arise with other components of the local tax price for education. Price elasticities for different components of tax price were estimated by Eom et al. (2014). This paper builds on the Eom at al. framework and explores whether salience and framing can help to explain differences in price elasticities across tax-price components. This approach also makes it possible to look for signs of salience and framing in flypaper effects, which arise when lump-sum education aid has a larger impact on education demand than an equivalent (defined below)
amount of voter income. Thus, we contribute to the literature on state aid by estimating different flypaper effects under different circumstance. In addition, we introduce a new type of flypaper effect that appears in the income effect associated with a STAR-induced price change, and we compare this flypaper effect with the one linked to state aid.

We begin with a description of the STAR program. Then we turn to the concepts of salience and framing. We review the literature on the impact of these concepts on behavioral responses to taxes, and we explain how they apply to the behavioral responses to provisions in STAR. We explain how salience and framing may affect the price elasticity of education demand and show that flypaper effects may appear in this price elasticity through the income effect. We also show that the concepts of salience and framing can help to explain both responses to non-STAR components of tax price and traditional (state aid) flypaper effects. The next section explains our estimating procedure, data, measures, and robustness checks. We then present the results of our hypothesis tests concerning salience and framing, including hypotheses about both the STAR and the non-STAR components of tax shares and traditional flypaper effects. Finally, we summarize our main results and discuss their key policy implications.

**STAR**

**History and Design of STAR**

The STAR program provides homestead exemptions from school-district property taxes for owner-occupied primary residences. NYS funds these exemptions by compensating school districts for the lost revenue. According to DiNapoli (2013, 6), STAR “provided almost 3.4 million exemptions in 2010-11,” and STAR is expected to cost NYS “over $3.7 billion by 2015-16.” STAR does not provide property tax relief to renters or commercial and industrial property.

STAR exemptions can be “basic” or “enhanced.” All homeowners in NYS are eligible for
the basic exemption, which applies to any primary residence, including one-, two-, and three-family houses, condominiums, cooperative apartments, mobile homes, and residential dwellings in mixed-use property. Before adjustments (described below), the basic exemption is $30,000, although it was phased during 1999-00 ($10,000) and 2000-01 ($20,000). A homeowner’s assessed value is reduced by the exemption, so the amount it saves equals the exemption multiplied by the school property tax rate in the school district where the house is located.

STAR has special provisions for homeowners in the “big-five” school districts, New York City (NYC), Buffalo, Rochester, Syracuse, and Yonkers, because these districts are not independent but instead are city government departments. The STAR exemption is half of the basic exemption in NYC and two-thirds of the basic exemption in the other four districts. Because these districts do not have separate school taxes, their exemptions apply to all city property taxes. Unlike other districts, NYC raises much school revenue from an income tax, so the STAR legislation also created an income tax credit for all NYC residents, including renters.

Homeowners aged 65 or above with income below a certain limit are eligible for the enhanced exemption. Both the exemption amount and the income limit have varied over time. In 2013-2014, the exemption amount was $63,300 and the income limit was $83,300. An income limit of $500,000 was also added to the basic STAR in 2011-12. Starting in 2011-12, an individual’s STAR tax savings could not increase by more than 2 percent per year.³

The STAR exemptions are adjusted to account for variation in assessing practices across districts. This adjustment allows us to model the STAR exemptions as an amount subtracted from a property’s market value. In addition, STAR exemptions are multiplied by a “sales price differential factor” (SPDF), which is the greater of 1.0 and the median residential sale price in a district’s county relative to the statewide average sales price. The SPDF increases STAR
exemption in counties with relatively high property value. These counties are mostly located in “downstate” NYS, which includes NYC and its suburbs plus the rest of Long Island.4

In its 2006-07 budget, NYS introduced the Local Property Tax Rebate Program, LPTRP:

Local property taxpayers who receive either the basic or enhanced STAR exemption and paid their school taxes will receive rebate checks equal to $9,000 multiplied by the product of the school district tax rate and the county sales price differential factor, if any. Senior citizens that qualify for the enhanced STAR exemption receive a rebate as computed above times 1.67. There is also an adjustment factor for qualified taxpayers whose residences are in the Big 5 city school districts (NYS Department of Taxation and Finance, NYSDTF, 2006)

In other words, LPTRP was algebraically equivalent to a 30 percent ($9,000/$30,000) increase in the basic STAR exemption. In 2007-08 and 2008-09, the LPTPR was modified to be a higher percentage of STAR savings for lower-income households and to have an income ceiling of $250,000. The LPTPR was repealed in 2009.

The STAR exemptions appear on a homeowner’s school property tax bill, whereas LPTRP took the form of a rebate check sent by mail. According to NYSDTF (2006):

The Office of Real Property Services (ORPS) is responsible for assembling the list of eligible real property owners from the final assessment rolls provided by local assessors by July 31st. ORPS then provides the list of rebate-eligible parcel owners, the mailing addresses and information necessary for the computation of the rebate amount to the Tax Department no later than August 15th. The Department must issue checks to the extent possible, by October 31st.

Administration of STAR

STAR was signed into law by Governor George E. Pataki in August 1997. Elderly homeowners received “enhanced” STAR exemptions in the 1998-99 school year, and “basic” exemptions for all homeowners were phased in from 1999-00 to 2001-02. Each district was required to notify all homeowners in the district about the existence of STAR and the need to apply for the STAR exemption. School officials had incentives to implement this requirement; each STAR exemption that was granted was fully funded by NYS. In many cases, cities and
tours also sent out notices, and newspapers publicized the sign-up requirements (Greene 1998).5

The application procedure was relatively simple. Homeowners had to fill out a one-page form to establish their residency and ownership. See Figure 1. This form was available from the local assessor (with whom it had to be filed) and on the NYSDTF web site. The form was also included in mailings to homeowners by school districts or other local governments, and NYSDTF posted online a pamphlet and other information about STAR. Once filed, the STAR form did not need to be re-submitted in later years. Data on participation rates over time are not available, but these rates can be approximated by comparing the number of STAR exemptions with the number of owner-occupied housing units in the state. By this measure, the participation rate was 68.1 percent in 2000 and rose to 86.8 percent in 2010.6

In most districts, STAR applications are due by March 1 and tentative assessment rolls (or TARs) for the following school year are announced by May 1. These TARs must be posted on the community assessor’s web site. Homeowners must be notified about an increase in their assessment, but otherwise it is homeowners’ responsibility to look up their tax liability. The TAR also provides information on a homeowner’s STAR exemption based on the latest SPDF. See the first panel of Figure 2.7 The SPDFs are certified sometime between the tax bill in September and the announcement of the TAR in the following May 1 (NYSDTF 2015c).

Homeowners usually have until the fourth Tuesday of May to appeal their assessment to their assessor. If the assessor denies the appeal, they can bring a claim in small claims court or file a lawsuit (NYSDTF 2015a). The final assessment roll is usually announced on July 1. Voter decisions are made in the school district budget votes, which are scheduled on the third Tuesday of May. Districts are required to hold a public hearing on the proposed budget during the two weeks preceding this vote and to provide voters with information about the budget proposal.8
In most districts, property tax bills are mailed in early September. The STAR legislation includes a Taxpayer Bill of Rights, which requires districts to include information about a taxpayer’s STAR exemption and the associated tax savings on the school property tax bill. Figure 3 provides an example, with boxes added around the STAR information. The state provided software to prepare the first STAR tax bills, and in 2000-01 handed out $10.4 million in aid “to help localities defray the cost of processing STAR exemption applications and modifying tax bills to comply with the Taxpayer’s Bill of Rights” (McCall 2001, 23). For the first vote with the basic STAR in May 1999, non-elderly homeowners had not yet received a property tax bill with STAR information, but STAR had been extensively publicized and it did appear on the TAR that year. Basic STAR information first appeared on tax bills in September 1999 (Figure 3).

Governor Pataki proposed a STAR rebate program in his executive budget in early 2006. The legislature passed an alternative version, which Governor Pataki vetoed. As a result, no rebate program was in place for the school budget votes in late May, 2006 (Gormley 2006). After further negotiation, however, Governor Pataki and the state legislature agreed on a rebate program, which was included in the budget signed into law on June 23, 2006. These rebates were given to every household with a STAR exemption, with no required application. Eventually, 3.4 million rebate checks were sent (MilGrim 2006). Although this program was not in existence when the 2006 school budget votes took place, some voters may have anticipated it because both Governor Pataki and the state legislature had championed the concept.

The rebate program was announced to all homeowners in the fall of 2006 in the form of rebate checks. The mailing list for these checks was provided to NYSDTF by local assessors. According to one account, these checks “arrived at voters’ homes just before the November election day. And coinciding with the checks were taxpayer-funded newsletters from lawmakers,
informing constituents that the checks were on the way” (Precious 2013). Another account revealed that each rebate check was accompanied by a note indicating that it was “approved by Gov. George Pataki and the state Legislature” (Karlin 2014).

In 2007, the new governor, Eliot L. Spitzer, proposed, and the legislature passed, a new rebate, called Middle Class STAR, that varied with income. Thanks to the income conditioning, a new round of applications was required. Between July and October of 2007, over 2.7 million notices and applications were mailed to basic STAR recipients, 79 percent of whom then filed applications online or by mail (NYSDTF 2007). Reminders were also sent to 600,000 homeowners. The final participation rate was close to 90 percent (Spitzer 2008). Information about the rebate did not appear on property tax bills in any of the affected years. Moreover, the rebate was not listed on the TAR, although some jurisdictions apparently included the rebate in the listed STAR exemption. Figure 2 shows an example of a jurisdiction with the basic STAR exemption in 2006 and a much larger exemption in 2008, when the rebates were in place.

The application procedure was simple. “To receive a rebate check, homeowners only have to verify the property information provided on the application, enter the names, social security numbers, and all required information for all resident property owners and their spouses, verify the mailing address, and submit the application” (NYSDTF 2007). Even though income information was used in determining the rebate, income did not have to be included on the application, because the taxpayer’s SSN allowed state officials to match the taxpayer with an income tax form. With this procedure, homeowners did not need to reapply for their 2008 rebate.

In addition to its coordinated mailings and press releases around the state, NYSDTF also set up a web site, which had 4 million hits that year, and three-quarters of the applications were submitted online (Spitzer 2008, 208). As a result of these efforts, about 2.3 million rebate checks
were mailed to non-senior homeowners for 2007-08 (NYSDTF 2008a). By Dec 5, 2008, 2.9 million 2008-09 rebate checks were sent to all eligible taxpayers (NYSDTF 2008b).

In summary, the STAR rebate program was not in place for the school budget votes in May 2006, although it may have been anticipated. The 2006-07 rebates went to all taxpayers with a STAR exemption, without the need for an application. Rebates were in place for the budget votes in May 2007, but taxpayers had not yet filled out the new, required application for the 2007-08 income-based rebate. They therefore knew about the rebate, but perhaps were not aware that it would be continued. Rebates were also in place for the budget votes in May 2008. By this time voters had received the rebates for two years and filled out an application. No additional application was needed to receive these rebates in the fall of 2008. The rebates were repealed before the school budget votes in May 2009 (Office of Tax Policy Analysis 2009).

**Salience and Framing**

**Concepts and Existing Evidence**

The literature on behavioral economics provides two helpful concepts to explain why behavioral responses to STAR may depend on the way STAR is administered: salience and framing. First, a salient policy is one that is visible. Standard economic analyses generally assume that consumers or taxpayers have perfect information and that they pay attention to, and take into account, taxes and other related parameters of a product, be they salient or not. Several studies on behavioral public finance have found evidence, however, that people are inattentive to a tax policy that is not salient and thus do not respond to it (Congdon, Kling, and Mullainathan 2009; Krishna and Slemrod 2003; McCaffery and Slemrod 2006). A corollary is that a more salient policy will lead to a larger behavioral response than a similar policy that is less salient.

The impact of salience on taxpayer behavior can be thought of as a form of fiscal illusion
(Oates 1985). In early studies of the topic, tax salience may come under different names, including the isolation effect (McCaffery and Baron 2006), shrouded attributes (Brown, Hossain, and Morgan 2010), or partitioned pricing (Morwitz et al. 2013). The CLK study used the term “salience,” and provided new ways to test for the impact of salience on taxpayer behavior. This study finds that the demand for consumption goods declines when pre-tax price tags are replaced with tax-inclusive price tags. This study also finds that excise tax increases lead to a larger decline in alcohol purchases when they are included in posted prices instead of being added at the register. In short, making taxes more salient boosts their impact on consumer behavior.

CLK’s results are confirmed in a study by Feldman and Ruffle (2015). The experiments in this study find that subjects spend significantly more on tax-exclusive (less salient) products than tax-inclusive ones. A paper by Finkelstein (2009) examined road tolls paid electronically (ETC) and tolls paid in cash. Finkelstein finds that drivers are so unaware of low-salience ETC tolls that these tolls have been raised (with relatively low political costs) 20 to 40 percent higher than high-salience tolls paid in cash. The tax salience effect may vary with consumer income. Goldin and Homonoff (2013) find that low-income consumers are more attentive to register (low-salience) cigarette taxes than high-income consumers. A few other studies investigate the salience of labor taxes (Hayashi, Nakamura, and Gamage 2013; Iturbe-Ormaetxe 2015) or gasoline taxes (Li, Linn, and Muehlegger 2014; Rivers and Schaufele 2015).

The state-funded property tax exemptions and rebates in STAR are examples of tax expenditures. Several studies have asked how the salience of a tax expenditure affects taxpayer behavior. Sahm, Shapiro, and Slemrod (2012) estimate the spending differences from the federal 2009 Making Work Pay Tax Credit delivered by a one-time payment or a flow of payments from reduced withholding. They find that the low-salience reduction in withholding increases
spending at approximately half the rate as the high-salience one-time payments. Gallagher and Muehlegger (2011) find that sales tax waivers are associated with substantially higher hybrid car sales than are income tax credits—a sign of lower salience for income tax credits than for other tax designs. Two studies on the Earned Income Tax Credit (EITC), Chetty, Friedman, and Saez (2013) and Chetty and Saez (2013), find that providing individuals with information about the EITC schedule significantly affects their work effort and earnings.

Two studies investigate the salience of property taxes. Cabral and Hoxby (2012) measure the salience of the property tax by the shares of mortgage holders or home owners with property tax escrows. They find that property tax rates are higher and property tax revolts are less likely to occur in areas in which the property tax is less salient, i.e., paid via tax escrow. Hayashi (2014) also uses mortgage escrow as a measure of property tax salience. He finds that a taxpayer with escrowed property taxes is significantly less likely to appeal her property assessment.

A second key concept is framing. The literature defines several different types of framing. The type of interest here builds on the notion of mental accounting, which, as defined by Thaler (1999), is a cognitive process that households use to organize, evaluate, and keep track of income and spending. Mental accounting is said to exist when dollars in different mental accounts are not perfect substitutes—in violation of the fungibility principle.

We are concerned with the case in which households divide their income into separate mental accounts or budgets for different expenditure household items, such as food, transportation, and education. This mental accounting affects marginal propensities to consume expenditure items. Money allocated mentally to a category is likely to be spent within that category (Antonides, de Groot, and van Raaij 2011; Milkman and Beshears 2009). For instance, households spend more income intended for education on education (Davies, Easaw, and
Ghoshray 2009). Studies have found empirical evidence of this type of fungibility violation in governmental and intergovernmental transfers to households. Kooreman (2000) finds that the marginal propensity to spend on child clothing is larger out of child allowance payments than out of other income sources. Income with no labeling or framing, such as a windfall, has no mental account and thus can be spent on any item (Chatterjee et al. 2014). Beatty et al. (2014) find that the average household spends 47 percent of a government transfer on fuel when the transfer is labeled as the UK Winter Fuel Payment but only 3 percent when it is just labeled cash.

The phenomenon in which income allocated to one of a household’s specific mental accounts sticks in that account is also known as the intra-household flypaper effect (Choi, Laibson, and Madrian 2009; Jacoby 2002). Mental accounting of this type can also help explain the empirical phenomenon of the flypaper effect of intergovernmental aid on community-level demand for local public services (Heyndels and Van Driessche 1998, Hines and Thaler 1995).

Hastings and Shapiro (2013) study a lack of fungibility when a price change applies to all grades of gasoline. In their model, an increase in gasoline prices leads to substitution toward lower gasoline grades. Their analysis reveals that an increase in the price of gasoline increases the propensity to buy regular gasoline more than an equivalent loss in household income. This analysis shows how mental accounting may boost the income effect of a price change, which is a type of flypaper effect (although they do not use this term). This possibility arises with any price change. The elasticity form of the Slutsky equation for, say, school quality, $S$, can be written $\mu = \mu^C - [(1 + f)(B_S)\theta]$ where $\mu$ is the price elasticity of demand for $S$, $\mu^C$ is the compensated price elasticity of demand for $S$ (also called the substitution elasticity), $f$ is the flypaper effect, $B_S$ is the budget share of $S$, and $\theta$ is the income elasticity of demand for $S$. In standard applications, $f$ is assumed to equal zero. Hastings and Shapiro show, however, that mental accounting may lead to
a positive value of $f$. The circumstances studied in this paper provide a unique opportunity to estimate flypaper effects that arise both from the price effects of property tax relief, called “price flypaper effects” or $f^P$, and from intergovernmental aid, called “aid flypaper effects” or $f^A$. The Hastings and Shapiro model involves substitution across gasoline grades, not between gasoline and other commodities, so $\mu^C$ in the Slutsky equation is not relevant. In other cases, mental accounting might alter $\mu^C$. The analysis presented below explores the impact of STAR’s administrative mechanisms on both the substitution elasticity and the two flypaper effects.

Two other forms of framing are not relevant here. First, households may frame a series of small boosts to income in a “current assets” account, whereas a one-time boost to income with the same present value is placed in a “current wealth” account—with a higher propensity to consume out of the former (Thaler 1999). In our case, however, both the tax exemption and the rebate are one-time payments. Second, several studies find that people tend to spend more out of income framed as a gain or bonus than out of income framed as a loss reduction (Epley and Gneezy 2007; Epley, Mak, and Idson 2006; Lozza, Carrera, and Bosio 2010). In an experiment reported in Epley, Mak, and Idson (2006), participants were asked to recall how much they spent or saved out of their rebate from the 2001 Tax Relief Act. The rebate was described to them either as “withheld income” (a loss reduction) or as “bonus income” (a financial gain). Participants hearing the former description spent less and saved more of the income than those hearing the latter. This behavior is consistent with Kahneman and Tversky’s (1979) prospect theory, which predicts that a returned loss is perceived as more valuable than an incremental gain. Households may frame STAR exemptions as a loss reduction and STAR rebates as a bonus, but we do not observe household savings, so we cannot determine whether these two administrative forms lead to different savings behavior. Moreover, the theory does not indicate
whether exemptions and rebates lead to different types of spending (e.g., public versus private goods), and bringing in types of spending would simply shift the analysis back to framing.

In short, we focus on the “spending accounts” version of framing. This type of framing arises in our case if households’ mental accounting leads to a larger increase in the demand for local education when they receive a STAR tax exemption, which appears on their school property tax bills, than when they receive a STAR tax rebate, which arrives as a check in the mail with no clear link to or label of education. We also explore the extent to which this difference in behavioral responses reflects either a flypaper effect or a change in the substitution between education and other spending categories.

**Salience and Framing in Relation to STAR**

Several studies have investigated the impact of price signals associated with property tax relief on the demand for local public services (Addonizio 1991; Eom et al. 2014; Rockoff 2010). These studies model the tax price of local services and the impact of property tax relief on this price. Bradford and Oates (1971) and Oates (1972) also point out that the value of state aid to a voter, and the stimulative impact of that aid, depends on how much it saves the voter—savings that are determined by the voter’s tax price. Our analysis of STAR builds on these two concepts.

**Tax Price.** In a simple model, a household’s budget constraint sets income, \( Y \), equal to spending on a composite consumption good with a unitary price, \( Z \); housing, \( H \), with price \( P \); and property taxes, \( T \), which equal the effective property tax rate, \( t \), multiplied by house value \( V = PH/r \), where \( r \) is a discount rate. The school district budget constraint sets spending per pupil, \( E \), equal to \( t \) multiplied by property value per pupil, \( \overline{V} \), plus state aid per pupil, \( A \). Solving the community constraint for \( t \) and substituting the result into the household constraint yields:
\[ Y = Z + PH + \left( \frac{E - A}{V} \right)V \quad \text{or} \quad Y + \left( \frac{V}{V} \right)A = Z + PH + \left( \frac{V}{V} \right)E. \] (1)

The tax price is the derivative of \( T \) with respect to \( E \); that is, it equals what a homeowner has to pay for another dollar of spending per pupil. Thus, in equation (1), the tax-price is \( (V / \bar{V}) \).

Eom et al. (2014) point out that spending per pupil, \( E \), equals cost per pupil, \( C \), which is a function of school-district quality \( (S) \), divided by an efficiency index, \( e \), where \( e = 1 \) corresponds to the efficiency using current best practices. Any spending not devoted to \( S \), including spending on school-district outputs other than \( S \), is considered to be inefficient. This addition leads to

\[ Y + \left( \frac{V}{V} \right)A = Z + PH + \left( \frac{C\{S\}}{e} \right)\left( \frac{V}{V} \right). \] (2)

Now the tax-price applies to an increment in \( S \) and it is affected by efficiency:

\[ TP \equiv \frac{d(\text{Cost to Homeowner})}{dS} = \left( \frac{dC}{dS} \right)\left( \frac{1}{e} \right)\left( \frac{V}{V} \right) = \left( MC\{S\} \right)\left( e^{-1} \right)\left( \frac{V}{V} \right), \] (3)

where \( MC \) is the marginal cost of \( S \). Following standard usage, \( (V / \bar{V}) \) is the tax share, which is one component of the tax price, \( TP \). Our methods for measuring \( S, MC \), and \( e \) are presented later.

The STAR program provides a property tax exemption of \( X \), where \( X \) varies across time and school districts. A homeowner’s property tax payment is now \( t(V - X) \) instead of just \( tV \). As explained by Rockoff (2010) and Eom et al. (2014), STAR works like a matching grant with a matching rate of \( X/V \), so \( (1 - X/V) \) is the voter’s STAR tax share. The STAR rebate program was in place for the school years 2006-07 to 2008-09 (henceforth 2007 to 2009). The rebates boosted the value of \( X \) by \( \tau \) percent, where \( \tau \) equals 30 percent in 2007 but depends on taxpayer income in the other two years.13 The matching rate is \( (X/V + \tau X/V) \) for these three years. Because NYS reimburses a district for the revenue it loses through STAR exemptions and funds rebates to
taxpayers, these provisions have no impact on the district budget constraint. However, STAR exemptions and rebates add a new term, \(-\tau(X + \tau DX)\), to household spending, where \(D = 1\) in three rebate years and \(D = 0\) in other years. The household budget constraint equation becomes

\[
Y + A\left(\frac{V}{V}\right)\left(1 - \frac{X}{V} - \frac{\tau DX}{V}\right) = Z + \left(\frac{C\{S\}}{e}\right)\left(\frac{V}{V}\right)\left(1 - \frac{X}{V} - \frac{\tau DX}{V}\right).
\]

Thus, the final form of the tax price is

\[
TP \equiv \frac{d(Cost \ to \ Homeowner)}{dS} = \left(MC\{S\}\right)\left(e^{-1}\right)\left(\frac{V}{V}\right)\left(1 - \frac{X}{V} - \frac{\tau DX}{V}\right).
\]

Although the four components of tax price in (5) are algebraically equivalent, voters may respond to each of them differently because of their different levels of salience and framing. Moreover, the last component has one part \((X/V)\) delivered in the form of a property tax exemption and the other \((\tau DX/V)\) delivered in the form of a rebate check. We therefore estimate separate price elasticities for the tax share, marginal cost, efficiency, and STAR components of tax price, and we determine whether the STAR elasticity is different when the rebate is in place.

Salience and framing have distinct implications for the impact of each tax-price component on the demand for school quality. The first component, the standard tax share, appears, based on previous studies, to be reasonably salient despite its abstract nature. It is also framed as a component of property taxes and hence of the school budget, which implies a lower demand for school quality given a higher tax share—a prediction supported by many studies.

The marginal-cost and efficiency components of the tax price are more abstract and hence less salient than the standard tax share, which leads to the prediction, based on salience, that they will have a lower price elasticity (in absolute value). In contrast, these two components are clearly linked to education spending. The marginal cost component reflects the extent to which harsh cost conditions push up the incremental cost of public services, and the efficiency component
indicates the extent to which an additional dollar of school spending is devoted to school outputs other than the index on which we focus, $S$. The links between these two components and demand appear to be at least as strong as the tax share-demand link. Indeed, the efficiency link is particularly strong because it reflects voters’ choices about other outputs. Thus, the framing hypothesis predicts that the price elasticities for these two components will be at least as large (in absolute value) as the elasticity for the standard tax share.

The next tax-price component arises from the basic STAR exemptions, which affect the median homeowner. These exemptions were put in place a year after the enhanced exemptions had already been publicized and implemented, and all homeowners received information about their new exemptions before their budget votes. Participation was quite high from the beginning. Moreover, the phase-in led to large new tax savings each year for the first three years. Additional tax savings were modest after 2002. These factors indicate a high salience for the STAR exemption, especially during the phase-in period. The median voter might also do mental accounting through framing when STAR exemptions and tax savings appear directly on property tax bills and hence are clearly linked to school spending. Tax savings from STAR exemptions are framed as income for education and allocated mentally to a voter’s education account. The mental accounting theory discussed earlier suggests that the income in the education account is more likely to be spent on education than is other income, including the STAR rebates.

Our earlier analysis reveals several important differences between the STAR exemptions and rebates. First, the STAR rebates had not been approved before the 2007 school district budget votes took place in May 2006. Thus, the rebates were not salient to voters, except perhaps for a few who anticipated their passage in June. Homeowners automatically received a STAR rebate check in the fall of 2006, however, so that they were aware of the program for the budget
votes in May 2007. For 2008 and 2009, therefore, lack of salience was not an issue in the impact of the rebates on the budget votes. In terms of framing, however, the rebates are different from the exemptions. The STAR exemptions appear on property tax bills, whereas the rebate checks arrive in the mail with a letter indicating that they were authorized by the governor and with no obvious link to school finance. This procedure provides no narrow framing for the rebates. The rebate income with no labeling can be treated as a windfall with no mental account to restrict spending. In short, the rebate is likely to be spent mostly on other things than education due to its lack of education labeling/framing. Thus, the rebate-linked price elasticity of school demand should be small in the first year of the rebate due to its low salience and broad framing terms. For the second and third rebate years, rebates are salient, which indicates a large elasticity, but have broad framing, which indicates a small elasticity. If the framing effect is stronger, the education demand elasticity associated with the rebate portion of the STAR tax share will be smaller than the one associated with the tax exemption portion—even after STAR’s phase-in period.

**Value of State Aid.** The second concept that allows us to investigate salience and framing is “augmented income,” $Y$, which is the left side of equation (4). It consists of income plus state aid multiplied by tax share. As first shown by Bradford and Oates (1971) and Oates (1972), state aid adjusted in this manner is, in principle, equivalent to voter income, because a voter’s potential property tax savings from $1 of aid equals the voter’s tax share.

Most of the empirical literature on state aid does not directly test the Bradford/Oates (B/O) theorem, but instead asks whether one dollar of state aid unadjusted for tax price has the same impact on spending as one dollar of income. A larger impact for aid is called the “flypaper effect.” Although a few articles find no flypaper effect (e.g., Becker 1996), a majority of studies provide strong empirical evidence for its presence (e.g., Brooks and Phillips 2010; Knight
A few other studies (Eom et al. 2014; Duncombe and Yinger 2011; and Nguyen-Hoang and Yinger 2014) use a specification consistent with the B/O theorem and find that state aid adjusted for tax share has a much larger impact on the demand for public services than the equivalent income. Equation (4) shows that state aid \(A\) is adjusted by the two components of tax price, namely, \((\mathcal{V} / \overline{V})\) and \((1 - X/V - \tau DX/V)\). The average value of \(\mathcal{V} / \overline{V}\) in our sample is 0.399; the average value of the tax-share with the fully phased-in STAR exemptions but no rebates \((D = 0)\) is \((0.399)(0.734) = 0.293\); and the average value in the first rebate year is \((0.399)(0.664) = 0.265\). If one uses a specification without the tax-share adjustment, then the estimated flypaper effect will incorporate the average tax share, resulting in a downward bias.

As indicated earlier, framing provides one plausible explanation for the flypaper effect. Money that flows directly into a school district’s budget has a larger impact on education demand than income flowing into a household’s budget. In addition, salience can help to explain why the estimated flypaper effect may not be the same under all circumstances. Our estimated flypaper effects include the B/O adjustment for tax share, and the STAR component of tax share are likely to be most salient during the STAR phase-in period. Higher salience leads to greater voter awareness that the value of aid depends on tax share. As a result, we expect that the estimated flypaper effect will be smaller in years with higher salience for the STAR exemptions—and hence for the impact of STAR on tax-shares. To account for this possibility, we add a new term, \((1 + f^A)\), to equation (4) in front of the term containing state aid, \(A\), when we incorporate \(\Upsilon\) into a demand function. Then we estimate whether the value of \(f^A\) is smaller when the STAR exemptions are more salient. In addition, the framing of the rebates as unlabeled income may lead voters to miss the impact of the rebates on tax shares—and hence to miss the impact of rebates on the value of aid. We also test for this possibility.
Finally, recall from Hastings and Shapiro (2013) that the income effect of a price change, or $f_P$, may differ from the impact of income itself. In the Hastings and Shapiro case, this difference is linked to mental accounting or framing, because the comparison is between a drop in the price of gasoline and an increase in income. We apply this idea to two different price comparisons. First, we expect that $f_P$ will be larger in the case of the price change associated with the STAR exemptions, which are a highly salient change in the price of education, than with those linked to the standard tax share, which is much less visible. Second, we expect that $f_P$ will be smaller for price changes linked to the STAR rebates than to those linked to the STAR exemptions because only the latter is framed as a change in the education budget.

**Hypotheses.** More formally, this analysis leads us to six key hypotheses about the impact of salience and framing on the behavioral responses to STAR, each of which is tested below.

1. The price elasticity, $\mu$, associated with the exemption-based STAR tax share will be larger in absolute value than the $\mu$ associated with the standard tax share. The STAR tax share is more salient and should therefore elicit a larger response.

2. The $|\mu|$ for the exemption-based STAR tax share will be largest when basic STAR was being phased in. The program itself was salient from the beginning, thanks to the earlier roll-out of enhanced STAR and the extensive publicity efforts by school districts and other governments. Moreover, voters are more likely to have been aware of the large tax savings during the phase-in period compared to the small changes in tax savings in later years.

3. Rebates will not affect the perceived STAR tax share and a no-rebate specification will yield a $\mu$ in rebate years that is about the same as in the non-rebate years after the STAR phase-in. Hypothesis 3A is that this effect is caused by low salience, which implies that this prediction will be upheld in 2007, when rebates were not enacted in time for the 2007 budget votes, but not in
2008 and 2009, when rebates were well publicized before the budget votes. Hypothesis 3B is that this prediction will hold in all three rebate years because rebates are framed as unlabeled income.

4. **The STAR-adjusted $f_A$ will be larger than the $f_A$ adjusted for just the standard tax share.** This hypothesis, like the first, reflects the relatively high salience of STAR.

5. **The STAR-adjusted $f_A$ will be smallest in the early STAR years.** The STAR tax-share term lowers the value of $1$ of aid to a voter, and the impact of this term on the flypaper effect will be largest when the STAR tax share is most salient, i.e., during the phase-in period.

6. **Rebates will not affect the perceived STAR-adjusted augmented income and in a no-rebate specification, an $f_A$ in rebate years will be about the same as in the non-rebate years after the phase-in.** Following Hypothesis 3, Hypothesis 6A is that this effect is caused by low salience, which implies that this prediction will be upheld only in 2007; Hypothesis 6B is that the framing of rebates as unlabeled income implies that the predicted effect will hold in all three rebate years.

**Modelling STAR’s Behavioral Impacts**

**The Demand Function**

Voter demand depends on augmented income and tax price. As discussed above, these concepts come from the household budget constraint and are therefore applicable for any utility function. Our strategy, which draws on Eom et al. (2014), is not to specify a utility function and then to derive a demand function from it, but is instead to specify and estimate a constant-elasticity demand function for $S$, which is linear in logs. $^{16}$ This equation can be written:

$$\ln S = K + \theta \ln Y + \mu \ln TP + \varepsilon,$$

where $K$ indicates the role of demand variables other than $Y$ and $TP$; $\theta$ and $\mu$ are the income and price elasticities of demand for $S$, respectively; and $\varepsilon$ is a random error. We interpret this equation as a model of community choice; in the spirit of a median voter model, we use median
values, such as the median tax share, whenever possible.\footnote{17}

As discussed earlier, we estimate separate elasticities for each of the four components of \( TP \). In order to estimate the flypaper effect for aid, \( f^A \), we re-write the expression for \( \Upsilon \) and then use the standard approximation that \( \ln\{1 + d\} \approx d \) when \( d \) is a fraction close to zero. Because \( A \) is small relative to \( Y \), we replace the \( \theta \ln\{Y\} \) term in (6) with

\[
\theta \ln \left\{ Y + (1 + f^A) \left( \frac{V}{V} \right) \left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right) \right\} = \theta \ln \left\{ Y \left( 1 + (1 + f^A) \left( \frac{A}{Y} \right) \left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right) \right) \right\} \\
\approx \theta \ln\{Y\} + (1 + f^A) \theta \left( \frac{V}{V} \right) \left( \frac{A}{Y} \right) \left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right) .
\] (7)

Substituting (5) and (7) into (6) yields

\[
\ln\{S\} = K + \theta \ln\{Y\} + (1 + f^A) \theta \left( \frac{V}{V} \right) \left( \frac{A}{Y} \right) \left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right) + \mu_1 \ln\left\{ \frac{V}{V} \right\} \\
+ \mu_2 \ln\{MC\} - \mu_3 \ln\{e\} + \mu_4 \ln\left\{ 1 - \frac{X}{V} - \frac{\tau DX}{V} \right\} + \varepsilon .
\] (8)

Note that \( f^A \) is identified by the ratio of the second coefficient to the first minus one.

The key objective of this paper is to see whether voters’ responses to the STAR price incentives and the STAR-adjusted flypaper effects for aid depend on the administrative mechanism through which the STAR tax relief is delivered. Responses to STAR incentives may also differ during the phase-in period. We ultimately want to determine whether variation in behavioral responses, if any, are consistent with salience or framing. We therefore focus on the two key terms that contain STAR exemptions \((X)\) and rebates \((\tau X)\) are \[ \left[ \ln\{1 - X/V - \tau DX/V\} \right] \] and \[ \left[ \left( V/V \right) \left( A/Y \right) \left( 1 - X/V - \tau DX/V \right) \right] \] abbreviated as \( \bar{T} \) and \( \bar{A} \), respectively. We interact \( \bar{T} \) and \( \bar{A} \) with a series of school-year dummies, \( D_0-D_7 \):
\[
\ln \{S\} = K + \theta \ln \{Y\} + \sum_{i=0}^{7} (1 + f_i \psi_i) \ln \{D_i \tilde{A}\} + \mu_1 V + \mu_2 \ln \{MC\} + \mu_3 \ln \{e\} + \sum_{i=1}^{7} \mu_i \ln \{D_i \tilde{T}\} + \varepsilon, \tag{9}
\]

where \(D_0 = 1\) for 1999 [i.e. 1998-99]; \(D_1 = 1\) for 2000; \(D_2 = 1\) for 2001; \(D_3 = 1\) for 2002; \(D_4 = 1\) for 2003-2006 or 2010-2011; \(D_5 = 1\) for 2007; \(D_6 = 1\) for 2008, and \(D_7 = 1\) for 2009. These dummies are coded based on when and how STAR exemptions and rebates were introduced; basic STAR was phased in between 2000 and 2002 and rebates were in place in 2007 to 2009.

Equation (9) allows us to test the above six hypotheses regarding different STAR price elasticities and flypaper effects, depending on how STAR exemptions and rebates are salient, or framed to households. In equation (9), the \(MC\) and \(e\) terms also need to be specified. Following Eom et al. (2014), we start with a multiplicative cost function for \(S\):

\[
\tilde{C}\{S\} = \kappa S^\sigma W^\alpha N^\lambda,
\]

where \(\kappa\) is a constant, \(W\) is teachers’ salaries, and \(N\) is student characteristics. This equation implies that

\[
MC = \frac{\partial \tilde{C}\{S\}}{\partial S} = \kappa \sigma S^{-1} W^\alpha N^\lambda. \tag{10}
\]

Moreover, efficiency, \(e\), is specified as a function of income and tax price, because it reflects demand (=spending) decisions for school outputs other than \(S\). In symbols:

\[
e = kM^\rho Y^\gamma T^\delta = kM^\rho Y^\gamma \left( \frac{V}{\bar{V}} \right) \left( MC \right) \left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right)^\delta,
\]

where \(\gamma\) and \(\delta\) are income and price elasticities of efficiency, and augmented income \((Y^*\)) is given by equations (7). By definition, \(E = C\{S\}/e\). Substituting equations (10), (11), and for \(C\{S\}\) into this expenditure equation, taking logs of it, and interacting \(\tilde{A}\) and \(\tilde{T}\) with the earlier defined set of year dummies yield the estimated equation for district expenditures per pupil, \(E\):

\[
\ln \{E\} = k^* + (\sigma - \delta (\sigma - 1)) \ln \{S\} + \alpha (1 - \delta) \ln \{W\} + \lambda (1 - \delta) \ln \{N\} - \rho \ln \{M\} - \gamma \ln \{Y\} - \sum_{i=0}^{7} (1 + f_i \psi_i) Y_i (D_i \tilde{A}) - \delta_0 \ln \left( \frac{V}{\bar{V}} \right) - \sum_{i=1}^{7} \delta_i (D_i \tilde{T}) + \varepsilon, \tag{12}
\]
where $k^*$ is the combined constant term, and $f_{\mathcal{A}}^\mathcal{T}$ is the for aid flypaper effect in the efficiency function. Once the expenditure equation is estimated, we calculate cost and efficiency indexes from exogenous components (excluding $S$) via the following equations:

\[
MC^* = \kappa^*W^\alpha N^\delta
\]  

\[
e^* = k^{**}M^\rho Y^\gamma \left( \frac{V}{V} \left( MC^* \right)^{\left( 1 - \frac{X}{V} - \frac{\tau DX}{V} \right)^\delta} \right),
\]

where $\kappa^*$ is scaled so that $MC^*$ equals 1.0 for the average district, and $k^{**}$ is scaled so that $e^*$ equals to 1.0 for the most efficient district. This scaling has no impact on any other estimated coefficient. To obtain our demand equation, we substitute (13) and (14) into (9), and solve for $S$:

\[
\ln\{S\} = K^* + \theta^* \ln\{Y\} + \sum_{i=0}^{7} (1 + f_i) \theta_i^* \left( D_i \tilde{A} \right) + \mu_i^* \ln \left( \frac{V}{V} \right) + \mu_i^* \ln\{MC^*\} - \mu_i^* \ln\{e^*\} + \sum_{j=1}^{7} \mu_{ij}^* \left( D_j \tilde{T} \right) + \varepsilon,
\]

where the asterisks indicate that the coefficients reflect parameters of the cost and efficiency equations (5) and (13), as indicated in equation (14) of Eom et al. (2014).

A major methodological challenge is the potential endogeneity of $\tilde{A}$ and $\tilde{T}$. Changes in student performance, $S$, induced by STAR or rebates may be capitalized into property values, thereby exerting a reverse impact on $V$ and $\tilde{V}$– components in $\tilde{A}$ and $\tilde{T}$. As in Eom et al. (2014), we instrument $\tilde{A}$ and $\tilde{T}$ and use predicted $V$ and $\tilde{V}$ as instrumental variables (IVs). These predicted values are property values in 1999 adjusted by the Case-Shiller home price indexes for NYS published by the Federal Reserve Bank of St. Louis. When constructed this way, the IVs removes the impact of STAR and rebates while capturing growth in $V$ and $\tilde{V}$. We treat $\tilde{A}$ and $\tilde{T}$ as endogenous in both expenditure and demand estimations with these IVs.\(^\dagger\)

Our expenditure and demand models are estimated with school-district and year fixed effects. Although STAR was introduced to all the districts in the same year, there was still yearly
across-district variation (as the result of the SPDF and \( \tau \)) in STAR savings and thus in rebates that is not captured by year fixed effects. We believe that the results estimated with these fixed effects, IVs, and key time-varying control variables are subject to minimal, if any, bias.

**Data and Measures**

Our data describe school districts in NYS for the academic years 1998-99 to 2010-11. This sample, which is also used by Eom et al. (2014), begins a year before STAR was implemented.\(^1\) We exclude NYC; some NYC data are missing and most of the STAR benefit to NYC comes in the form of an income tax rebate. After dropping non-K12 districts and a few district-years with missing data, we obtain a sample of 8,038 observations with 607-627 districts, depending on the year.\(^2\) Table 1 provides the summary statistics of the variables for estimations.

Our expenditure measure is operating expenditure, which is defined as total expenditure less debt service and transportation.\(^2\) Our student performance measure is an equally weighted index of the average share of students reaching the state’s proficiency standard on math and English exams in 4\(^{th}\) and 8\(^{th}\) grades, the share of students receiving a Regents Diploma by passing at least 5 Regents exams, and the share of students not dropping out of high school \((=100 – \text{dropout rate})\).\(^2\) This index captures a range of student performance measures that are also used in previous studies and in the NYS accountability system.\(^3\) A teacher salary variable should measure a district’s generosity, not the qualifications of its teachers. Thus we use the average salary a district pays for teachers with up to five years of experience, controlling for the experience and education of the district’s teachers.

**Results**

**Price Elasticities**

Tables 2 (coefficients) and 3 (structural parameters) present the results of our demand
estimations, which are designed to test our hypotheses about the impacts of STAR exemptions and rebates. Model 1 omits the STAR rebates from the STAR tax-share expressions. This specification is correct under the assumption that voters do not place rebates in their mental accounts for education spending. Model 2 includes the rebates in the STAR tax-share expressions in 2007 to 2009. This specification is correct under the assumption that voters are fully aware of the impact of rebates on their education tax share.

To help interpret the price elasticity results, note that \( \ln\{1 - \frac{X}{V}\} \approx -\frac{X}{V} \) and \( \ln\{1 - \frac{X}{V} - \tau DX/V\} = \ln\{1 - (\frac{X}{V})(1 + \tau)\} \approx -\left(\frac{X}{V}\right)(1 + \tau) \). Moreover, if a variable is re-scaled, i.e., multiplied by a constant, then its estimated coefficient is re-scaled, too, i.e. divided by the same constant. If voters respond to the rebates the same way they respond to the exemptions, then a specification that includes the rebates will yield the same \( \mu \) in the rebate years as in the non-rebate years. If the true variable is \( -(\frac{X}{V})(1 + \tau) \), but the specification is \( -(\frac{X}{V}) \) as in Model 1, which is the true variable divided by \( (1 + \tau) \), then the estimated coefficient will equal the baseline elasticity multiplied by \( (1 + \tau) \). Similarly, if the true variable is \( -(\frac{X}{V}) \) but the specification is \( -(\frac{X}{V})(1 + \tau) \), which is the specification in Model 2, then the estimated coefficient will be the baseline divided by \( (1 + \tau) \).

Results for Models 1 and 2 both indicate that the with-rebates specification can be rejected in favor of the one without rebates. The null hypothesis for Model 1, which is based on the assumption that the without-rebates specification is correct, is that the estimated \( \mu \) in the rebate years equals \(-0.72\), which is the value in the non-rebate years after the phase-in (Table 3). The alternative hypothesis is that \( |\mu| = (0.72)(1 + \tau) \). In every rebate year, the estimated \( |\mu| \) is significantly smaller than 0.72, which allows us to reject the alternative hypothesis. The null hypothesis for Model 2 is that the with-rebates specification is correct, which implies that the
estimated $|\mu|$ in the rebate years will be 0.64, which is the Model 2 value in the surrounding non-rebate years. The alternative hypothesis is that the without-rebates specification is correct, which implies that the estimated $|\mu|$ will equal $(0.64)/(1 + \tau)$. In every rebate year, we can reject the null hypothesis, because, as the alternative hypothesis implies, $|\mu|$ is significantly less than 0.64.

These results provide strong confirmation of the view that the administrative mechanism through which a tax break is delivered can have a significant impact on the behavioral response to that tax break. More specifically, these results support Hypothesis 3B, which is based on framing, not 3A, which is based on salience. Households appear to place the STAR rebates in a mental account for all spending, with no recognition that these rebates alter the price of education, whereas they place the STAR exemptions in a school spending mental account, where the price effects are recognized. These tests support the without-rebates specification but also lead to a puzzle. In Model 1 we can reject the hypothesis that leaving out rebates biases $|\mu|$ upwards, but in 2007 and 2008 we can also reject the hypothesis that $\mu$ equals the baseline $\mu$; voter responsiveness to the STAR exemption-based tax shares is lower in the first two rebate years than in the nearby non-rebate years. This result is consistent with the possibility that the framing of the rebates spills over into voters’ perceptions about STAR generally and hence lowers their responsiveness to tax shares based on STAR exemptions. This spill-over effect disappears after two years of experience with the rebate program.

Table 3 also provides results on several other price elasticities. For Model 1, the preferred specification, the $\mu$ associated with the standard tax share, $\mu_1$, is $-0.17$ and is significant. This result is comparable to the $\mu$ in previous studies. It is almost identical to the (significant) elasticity for the marginal-cost component of tax price, $\mu_9$, which is $-0.20$. In contrast, $|\mu_8|$ for efficiency is much larger, 4.40. These results are consistent with the framing hypothesis.
The price elasticities for the STAR tax share, $\mu_2$ to $\mu_8$, indicate a large, significant impact of STAR on the demand for student performance, particularly when it was first introduced. More specifically, the (significant) estimated $\mu$s are $-3.03$, $-1.55$, and $-0.89$ during STAR’s three phase-in years, and $-0.72$ during the years with the full STAR exemptions but without rebates, $\mu_5$. The decline in $\mu$ over time supports Hypothesis 2. The larger $|\mu|$ for the exemption-based STAR tax price than for the standard tax price supports Hypothesis 1; the STAR tax share appears to be more salient than $\left(V/\bar{V}\right)$, which is not directly observed.

The Slutsky equation with a flypaper effect is $\mu = \mu_C - [(1 + f^P)(B_S)\theta]$. We estimate $\mu$ and $\theta$, and we calculate $B_S$ as the property tax payment with the median house value divided by median household income. Thus, we can use this formula to find that $\mu$ for the standard tax share could reflect a substitution elasticity, $\mu_C$, as large as $-0.16$, assuming there is no flypaper effect (i.e., $f^P = 0$), or a flypaper effect as large as 26.4 (assuming no substitution). The derivative of the Slutsky equation implies that the difference between $\mu_5$ and $\mu_1$ can be explained by an increase in $|\mu_C|$ of 0.55, an increase in $f^P$ of 88.6, or some combination of smaller changes in each parameter. Moreover, the finding that voters do not respond to the price incentives associated with the STAR rebates indicates that the $f^P$ associated with the rebates is zero.$^{25}$

The work of Cabral and Hoxby (2012) and Hyashi (2014) suggests that homeowners who pay property taxes via an escrow account are less aware of the accuracy of their assessed values or of the incentives created by their local tax system. We obtained data on the share of homeowners who file for a formal judicial assessment review, $R$, called a review for short, in either small claims court or the NYS Supreme Court. We expect that the higher this share, the more aware voters are about the features of the property tax system. After all, people cannot file a grievance with their assessor unless they have first looked at the TAR, which includes
information on STAR, and they cannot file for a judicial review unless they have first appealed to their assessor. We also obtained data for one year on the use of escrow accounts. In contrast to the results of Hyashi, the correlation between this variable and $R$ is large and positive (0.5).

Table 4 presents results from a regression that adds interactions with $R$ to Model 1 in Table 2. The review variable is defined as a deviation from the state-wide average, so that the other coefficients can be interpreted as effects at the average value of $R$. Adding these interactions has little impact on the other coefficients in the regression (or on the hypothesis tests), but they indicate that the more reviews, the stronger the behavioral response to the STAR tax share. This effect is particularly large in 2000, when basic STAR was at its most salience. The interaction between the STAR tax share and $R$ is not significant in 2007, when rebates were not in place at appeals time, but these interactions are significant in 2008 and 2009.

**Flypaper Effects for State Aid**

In Table 2, Model 1, the income elasticity of demand for $S$, $\theta$, equals 0.23 and is significant. This $\theta$ is in the range of previous studies. The aid flypaper effects, $f^A$, are the coefficients of the $\tilde{A}$ variables divided by the coefficient of income minus one. A larger $f^A$ indicates a less salient local tax share, that is, a less salient discount in the value of $1$ of aid. The pre-STAR $f^A$ is 34.9 (Table 3), which is higher than the estimates in the previous literature except for Eom et al. (2014), but lower than the STAR $f^A$ in any year, as in Hypothesis 4. In addition, $f^A$ increases from 35.8 to 56.2 over the STAR years, which supports Hypothesis 5.

The estimates of $f^A$ in the first two rebate years, 57.2 and 52.1, are not significantly different from the values in the nearby, non-rebate years, 56.2 ($=f_5$). Because rebates are excluded from the specification, we cannot reject the null hypothesis that the rebates have no impact on voter’s perceptions of the value of state aid, a result that is consistent with Hypothesis
The estimate of \( f^A \) in the last rebate year, 42.8, is significantly lower than \( f^S \). This result is not predicted by either salience or framing. Instead, we believe it reflects political and economic uncertainty in the spring of 2008, which led voters to expect aid cuts in the future and dampened their responses to aid in the May 2008 budget votes.\(^{28}\)

These estimates of \( f^A \) are larger than the maximum pre-STaR \( f^P \), 26.4, calculated above. However, these estimates of \( f^A \) are considerably smaller than the maximum possible values of \( f^P \) with STaR. As shown above for the post-phase-in years, this maximum is 26.4 (the pre-STaR \( f^P \)) plus 88.6 (the change in \( f^P \) when STaR exemptions are added), which equals 115.0—a number larger than the highest with-STaR \( f^A \). A more reasonable possibility is that two-thirds of the estimated change in \( |\mu| \) reflects an increase in \( |\mu^C| \). In this case, the STaR-induced change in the flypaper effect would be 29.6, for a total \( f^P \) as high as 26.4 + 29.6 = 56, which is roughly equal to \( f^A \) in the post-phase-in, non-rebate years.

Turning back to Table 4, we find that the interactions between the STaR-adjusted aid variables and \( R \) are generally not significant. The only significant interaction is for 2003-2006 plus 2010-2011, and it has an unexpected positive sign. Perhaps people who file reviews are more aware of state aid amounts than other people, which could boost their responsiveness to aid, but no more aware of the extent to which STaR lowers the value of aid to voters.

**Conclusions**

New York State’s STaR program provides a unique opportunity to study the impact of a tax’s administration on the behavioral responses to the tax. Property tax exemptions from STaR, which lower the price of local education, are delivered to homeowners as a line on their school property tax bill. For three years, however, these benefits were supplemented with a tax rebate that equaled a percentage of the savings from the exemption and arrived as a check in the mail.
We find signs of both salience and framing in the behavioral responses to these provisions. Our most striking result is that, despite their impact on voters’ tax shares, STAR rebates do not affect the demand for school quality because they arrive as unlabeled income. The importance of framing is supported both by the rejection of a model in which tax shares incorporate rebates and by the finding that the non-response to rebates arises in all three rebate years, not just the year in which rebates were implemented after budget votes. The role of framing is also reinforced by our finding that rebates do not alter the flypaper effect attached to state educational aid, even though they alter voters’ tax shares.

Our strongest evidence for the importance of salience is the finding that voters’ behavioral responses to the STAR-based tax shares are largest when the STAR exemptions are most salient due both to publicity and to the magnitude of the tax savings. The importance of salience is also indicated by the larger behavioral response to the STAR tax share than to the less-salient standard tax share and by a smaller flypaper effect, that is, a more accurate recognition of voters’ net gains from state aid, when the STAR exemptions are most salient.

Finally, we make use of the Slutsky equation to show that behavioral responses to STAR tax shares reflect not only a substitution effect, but also an income effect, to which a flypaper effect might be attached. Our results are consistent with the view that this price-based flypaper effect is comparable in magnitude to the more familiar aid-based flypaper effect.

The key policy implication of our findings is that the outcomes of a property tax policy may depend on the way it is administered. In the case of STAR, the behavioral impacts of the STAR exemptions were magnified by the publicity surrounding their implementation, which gave them more salience. Moreover, the appearance of the STAR exemptions on a homeowner’s property tax bill framed them as a component of a household’s education budget, where they
directly affect education demand decisions. In contrast, the STAR rebates arrived in the mail, so they were framed as unlabeled income and had little or no impact on education demand.
Figure 1: STAR Application

APPLICATION FOR SCHOOL TAX RELIEF (STAR) EXEMPTION
(See instructions on back)

1. Name and telephone no. of owner(s)  
   ____________________________  
   ____________________________  

   Day No. ( )  
   Evening No. ( )

2. Mailing address of owner(s)  
   ____________________________  
   ____________________________

3. Location of property  
   Street address  
   ____________________________  
   ____________________________  

   Village (if any)  
   ____________________________  
   ____________________________  

   City/Town  
   ____________________________  
   ____________________________  

   School district  
   ____________________________  
   ____________________________

   Property identification (see tax bill or assessment roll)  
   Tax map number or section/block/lot  
   ____________________________

4. Income information: ONLY for senior citizens who seek additional (enhanced) exemption
   If all of the owners are at least 65 years of age (or, for property owned by husband and wife, if one of the owners is at least 65 years of age) and the total income does not exceed $60,000, enter the total income __________________. Attach a copy of the latest federal or New York State income tax return if filed and proof of age.

5. Certification (All resident owners must sign)
   I (we) certify that all of the above information is correct and that the property listed above is my (our) primary residence. I (we) understand it is my (our) obligation to notify the assessor if I (we) relocate to another primary residence.

   Date  
   ____________________________  
   ____________________________  
   ____________________________  

   Signature  
   ____________________________  
   ____________________________  
   ____________________________

   NOTE: This application must be filed with your local assessor. Do not file this form with the State Board of Real Property Services.

   SPACE BELOW FOR USE OF ASSESSOR

   Application received ____________  
   Approved  
   ______ Yes  ______ No  
   Senior additional  
   ______ Yes  ______ No

   Proof of age  
   ____________

   Proof of income  
   ____________

   Assessor’s signature  
   ____________________________  
   Date  
   ____________________________

Source: http://assembly.state.ny.us/Reports/STAR/re425.pdf
Figure 2. Examples of Tentative Assessment Rolls, 2006 and 2008

<table>
<thead>
<tr>
<th>TAX MAP PALETTE NUMBER</th>
<th>PROPERTY LOCATION &amp; CLASS</th>
<th>ASSESSMENT EXEMPTION CODE</th>
<th>COUNTY</th>
<th>CITY</th>
<th>SCHOOL</th>
<th>TOTAL</th>
<th>SPECIAL ASSESSMENT</th>
<th>ACCOUNT NO.</th>
<th>FULL MARKET VALUE</th>
</tr>
</thead>
<tbody>
<tr>
<td>220-2 Family Res</td>
<td>Watertown City 221005</td>
<td>15,700</td>
<td>COUNTY</td>
<td>CITY</td>
<td>SCHOOL</td>
<td>100,400</td>
<td>100,400</td>
<td>101,900</td>
<td>101,900</td>
</tr>
<tr>
<td>220-3 Family Res</td>
<td>Watertown City 221009</td>
<td>19,900</td>
<td>COUNTY</td>
<td>CITY</td>
<td>SCHOOL</td>
<td>100,800</td>
<td>100,800</td>
<td>102,900</td>
<td>102,900</td>
</tr>
<tr>
<td>220-4 Family Res</td>
<td>Watertown City 221000</td>
<td>24,100</td>
<td>COUNTY</td>
<td>CITY</td>
<td>SCHOOL</td>
<td>100,000</td>
<td>100,000</td>
<td>103,100</td>
<td>103,100</td>
</tr>
</tbody>
</table>

Figure 3: Property Tax Bills with STAR Information

### 1999 - 2000 Fayetteville-Manlius School Tax

**Town of Manlius - Onondaga County, New York**

<table>
<thead>
<tr>
<th>Fiscal Year: 07/01/99 - 06/30/00</th>
<th>Warrant Date: 08/30/99</th>
<th>Estimated State Aid: $9,640,000</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>TAX MAP NUMBER</strong></td>
<td><strong>BANK</strong></td>
<td><strong>NYS TAX &amp; FINANCE SCHOOL CODE</strong></td>
</tr>
<tr>
<td>LAURA PESCHEL</td>
<td>370</td>
<td>370</td>
</tr>
</tbody>
</table>

**Property Information:**
- **Dimension:**
- **RS:** 1
- **Address:** 210 Single Family Residence
- **Full Market Value:** 100.00
- **Uniform % of Value:** 100.00
- **Assessment as of July 1:** 100.00

**Exemptions:**
- **41854 STAR B:** $10,000

**Exemption Has Already Been Deducted From The Total Due:**

<table>
<thead>
<tr>
<th>Levy Description</th>
<th>Tax Levy</th>
<th>Rate</th>
<th>Taxable Value</th>
<th>Amount Due</th>
</tr>
</thead>
<tbody>
<tr>
<td>School Tax</td>
<td>31,264,650</td>
<td>6.6</td>
<td>23,331530</td>
<td>0</td>
</tr>
<tr>
<td>Library Tax</td>
<td>650,000</td>
<td>14.0</td>
<td>92,50900</td>
<td>0</td>
</tr>
</tbody>
</table>

**STAR Exemption Saving:** $233.31

### 2008 - 2009 Fayl-Eville-Manlius School Tax

**Town of Manlius - Onondaga County, New York**

<table>
<thead>
<tr>
<th>Fiscal Year: 07/01/08 - 06/30/09</th>
<th>Warrant Date: 08/25/08</th>
<th>Estimated State Aid: $18,421,862</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>TAX MAP NUMBER</strong></td>
<td><strong>BANK</strong></td>
<td><strong>NYS TAX &amp; FINANCE SCHOOL CODE</strong></td>
</tr>
<tr>
<td>LAURA PESCHEL</td>
<td>370</td>
<td>370</td>
</tr>
</tbody>
</table>

**Property Information:**
- **Dimension:**
- **RS:** 1
- **Address:** 210 Single Family Residence
- **Full Market Value:** 100.00
- **Uniform % of Value:** 100.00
- **Assessment as of July 1:** 100.00

**Exemptions:**
- **41854 STAR B:** Full Value
  - **Exemption:** 30,000
  - **Total Due:** 30,000

**Exemption Has Already Been Deducted From The Total Due:**

<table>
<thead>
<tr>
<th>Levy Description</th>
<th>Tax Levy</th>
<th>Rate</th>
<th>Taxable Value</th>
<th>Amount Due</th>
</tr>
</thead>
<tbody>
<tr>
<td>School Tax</td>
<td>49,795,811</td>
<td>2.6</td>
<td>23,595,315</td>
<td>0</td>
</tr>
<tr>
<td>Library Tax</td>
<td>1,848,690</td>
<td>6.5</td>
<td>118,5166</td>
<td>0</td>
</tr>
</tbody>
</table>

**STAR Exemption Saving:** $707.86
# Table 1. Summary Statistics (1999-2011)

<table>
<thead>
<tr>
<th>Dependent Variables</th>
<th>Mean</th>
<th>Std. Dev.</th>
<th>Min</th>
<th>Max</th>
</tr>
</thead>
<tbody>
<tr>
<td>Performance index</td>
<td>75.8</td>
<td>11.6</td>
<td>29.2</td>
<td>98.2</td>
</tr>
<tr>
<td>Operating expenditures per pupil</td>
<td>15,766</td>
<td>4,003</td>
<td>9,164</td>
<td>74,269</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>STAR- and Rebate-Related Variables</th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Tax share</td>
<td>0.399</td>
<td>0.149</td>
<td>0.022</td>
<td>1.053</td>
</tr>
<tr>
<td>$T_{D1=1}$</td>
<td>0.891</td>
<td>0.042</td>
<td>0.751</td>
<td>0.984</td>
</tr>
<tr>
<td>$T_{D2=1}$</td>
<td>0.793</td>
<td>0.082</td>
<td>0.514</td>
<td>0.968</td>
</tr>
<tr>
<td>$T_{D3=1}$</td>
<td>0.698</td>
<td>0.121</td>
<td>0.287</td>
<td>0.949</td>
</tr>
<tr>
<td>$T_{D4=1}$</td>
<td>0.734</td>
<td>0.109</td>
<td>0.303</td>
<td>0.946</td>
</tr>
<tr>
<td>$T_{D5=1}$</td>
<td>0.664</td>
<td>0.139</td>
<td>0.168</td>
<td>0.922</td>
</tr>
<tr>
<td>$T_{D6=1}$</td>
<td>0.748</td>
<td>0.105</td>
<td>0.373</td>
<td>0.939</td>
</tr>
<tr>
<td>$T_{D7=1}$</td>
<td>0.753</td>
<td>0.102</td>
<td>0.385</td>
<td>0.937</td>
</tr>
<tr>
<td>$\bar{A}_{D0=1}$</td>
<td>0.031</td>
<td>0.028</td>
<td>0.0003</td>
<td>0.375</td>
</tr>
<tr>
<td>$\bar{A}_{D1=1}$</td>
<td>0.028</td>
<td>0.026</td>
<td>0.0002</td>
<td>0.302</td>
</tr>
<tr>
<td>$\bar{A}_{D2=1}$</td>
<td>0.025</td>
<td>0.023</td>
<td>0.0002</td>
<td>0.278</td>
</tr>
<tr>
<td>$\bar{A}_{D3=1}$</td>
<td>0.021</td>
<td>0.018</td>
<td>0.0002</td>
<td>0.207</td>
</tr>
<tr>
<td>$\bar{A}_{D4=1}$</td>
<td>0.017</td>
<td>0.016</td>
<td>0.0001</td>
<td>0.193</td>
</tr>
<tr>
<td>$\bar{A}_{D5=1}$</td>
<td>0.015</td>
<td>0.013</td>
<td>0.0002</td>
<td>0.153</td>
</tr>
<tr>
<td>$\bar{A}_{D6=1}$</td>
<td>0.016</td>
<td>0.015</td>
<td>0.0001</td>
<td>0.202</td>
</tr>
<tr>
<td>$\bar{A}_{D7=1}$</td>
<td>0.017</td>
<td>0.016</td>
<td>0.0001</td>
<td>0.199</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Other Demand/Efficiency-Related Variables</th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Income per pupil</td>
<td>150,260</td>
<td>139,720</td>
<td>22,316</td>
<td>1,976,055</td>
</tr>
<tr>
<td>Percent of owner-occupied housing units</td>
<td>81.1</td>
<td>11.3</td>
<td>21.3</td>
<td>100</td>
</tr>
<tr>
<td>Percent of seniors (aged 65 and over)</td>
<td>14.8</td>
<td>3.3</td>
<td>3.1</td>
<td>38.9</td>
</tr>
<tr>
<td>Percent of college graduates</td>
<td>25.7</td>
<td>14.1</td>
<td>4.9</td>
<td>83.4</td>
</tr>
<tr>
<td>Percent of youths (aged 5-17)</td>
<td>17.4</td>
<td>2.5</td>
<td>6.2</td>
<td>30.7</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Cost-Related Variables for Expenditure Estimations</th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Teacher salary (1-5 year experience)</td>
<td>18,422</td>
<td>8,409</td>
<td>1</td>
<td>60,290</td>
</tr>
<tr>
<td>Enrollment (average daily membership)</td>
<td>2,753</td>
<td>3,437</td>
<td>66</td>
<td>46,550</td>
</tr>
<tr>
<td>Percent of students with severe disabilities</td>
<td>1.4</td>
<td>0.8</td>
<td>0</td>
<td>7.5</td>
</tr>
<tr>
<td>Percent of LEP students</td>
<td>1.7</td>
<td>3.4</td>
<td>0</td>
<td>33.2</td>
</tr>
<tr>
<td>Percent of free lunch students</td>
<td>23.3</td>
<td>15.5</td>
<td>0</td>
<td>90.8</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Selected Instrumental Variables (IVs)</th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Avg. % high cost students in rest of county</td>
<td>1.3</td>
<td>0.4</td>
<td>0</td>
<td>3.1</td>
</tr>
<tr>
<td>Avg. % LEP students in rest of county</td>
<td>1.6</td>
<td>1.8</td>
<td>0</td>
<td>6.0</td>
</tr>
<tr>
<td>Annual county avg. manuf. salary</td>
<td>49,548</td>
<td>15,057</td>
<td>21,882</td>
<td>103,054</td>
</tr>
<tr>
<td>IV for $T$ when $D_{2}=1$</td>
<td>0.817</td>
<td>0.066</td>
<td>0.595</td>
<td>0.973</td>
</tr>
<tr>
<td>IV for $T$ when $D_{3}=1$</td>
<td>0.784</td>
<td>0.065</td>
<td>0.549</td>
<td>0.958</td>
</tr>
<tr>
<td>IV for $A$ when $D_{2}=1$</td>
<td>0.025</td>
<td>0.024</td>
<td>0.0002</td>
<td>0.293</td>
</tr>
<tr>
<td>IV for $A$ when $D_{3}=1$</td>
<td>0.022</td>
<td>0.020</td>
<td>0.0003</td>
<td>0.257</td>
</tr>
</tbody>
</table>

Notes: There are 8,038 observations, except for variables (and their respective IVs) of $T$ or $A$ for different years. The number of observations for these variables varies depending on when $D_{i}=1$. 
<table>
<thead>
<tr>
<th>Variable</th>
<th>Model 1</th>
<th></th>
<th></th>
<th>Model 2</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Coefficient</td>
<td>Standard Error</td>
<td>Coefficient</td>
<td>Standard Error</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D1}$ (year = 2000)</td>
<td>-4.11***</td>
<td>(1.27)</td>
<td>-3.48***</td>
<td>(1.08)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D2}$ (year = 2001)</td>
<td>-2.10***</td>
<td>(0.63)</td>
<td>-1.79***</td>
<td>(0.55)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D3}$ (year = 2002)</td>
<td>-1.20***</td>
<td>(0.37)</td>
<td>-1.02***</td>
<td>(0.31)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D4}$ (year = 2003-06 and 2010-11)</td>
<td>-0.97***</td>
<td>(0.26)</td>
<td>-0.86***</td>
<td>(0.22)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D5}$ (year = 2007)</td>
<td>-0.78***</td>
<td>(0.20)</td>
<td>-0.54***</td>
<td>(0.13)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D6}$ (year = 2008)</td>
<td>-0.57***</td>
<td>(0.13)</td>
<td>-0.32***</td>
<td>(0.073)</td>
<td></td>
</tr>
<tr>
<td>$\bar{T}_{D7}$ (year = 2009)</td>
<td>-1.00***</td>
<td>(0.22)</td>
<td>-0.48***</td>
<td>(0.11)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D0}$ (year = 1999)</td>
<td>11.0***</td>
<td>(3.59)</td>
<td>9.38***</td>
<td>(3.02)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D1}$ (year = 2000)</td>
<td>11.3***</td>
<td>(3.58)</td>
<td>9.74***</td>
<td>(3.04)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D2}$ (year = 2001)</td>
<td>12.9***</td>
<td>(4.03)</td>
<td>11.2***</td>
<td>(3.41)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D3}$ (year = 2002)</td>
<td>16.7***</td>
<td>(5.13)</td>
<td>14.5***</td>
<td>(4.41)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D4}$ (year = 2003-06 and 2010-11)</td>
<td>17.9***</td>
<td>(5.42)</td>
<td>18.4***</td>
<td>(5.49)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D5}$ (year = 2007)</td>
<td>17.6***</td>
<td>(5.32)</td>
<td>15.4***</td>
<td>(4.55)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D6}$ (year = 2008)</td>
<td>16.3***</td>
<td>(4.89)</td>
<td>20.7***</td>
<td>(6.07)</td>
<td></td>
</tr>
<tr>
<td>$\bar{A}_{D7}$ (year = 2009)</td>
<td>13.5***</td>
<td>(4.01)</td>
<td>16.8***</td>
<td>(4.79)</td>
<td></td>
</tr>
<tr>
<td>Log of tax share</td>
<td>-0.27***</td>
<td>(0.090)</td>
<td>-0.24***</td>
<td>(0.080)</td>
<td></td>
</tr>
<tr>
<td>Log of income per pupil</td>
<td>0.31***</td>
<td>(0.080)</td>
<td>0.26***</td>
<td>(0.066)</td>
<td></td>
</tr>
<tr>
<td>Log of cost index</td>
<td>-0.24***</td>
<td>(0.065)</td>
<td>-0.22***</td>
<td>(0.057)</td>
<td></td>
</tr>
<tr>
<td>Log of efficiency index</td>
<td>5.96***</td>
<td>(1.80)</td>
<td>5.13***</td>
<td>(1.56)</td>
<td></td>
</tr>
<tr>
<td>% of owner-occupied housing units</td>
<td>0.00042*</td>
<td>(0.00024)</td>
<td>0.00043**</td>
<td>(0.00017)</td>
<td></td>
</tr>
<tr>
<td>% of senior citizens (aged 65 or over)</td>
<td>-0.0053***</td>
<td>(0.0018)</td>
<td>-0.0052***</td>
<td>(0.0015)</td>
<td></td>
</tr>
<tr>
<td>Average % of high cost students in the rest of the county</td>
<td>0.0056*</td>
<td>(0.0034)</td>
<td>0.0055</td>
<td>(0.0037)</td>
<td></td>
</tr>
<tr>
<td>Average % of LEP students in the rest of the county</td>
<td>0.023***</td>
<td>(0.0050)</td>
<td>0.022***</td>
<td>(0.0033)</td>
<td></td>
</tr>
</tbody>
</table>

Notes: There are 8,036 observations. Regressions are estimated with year and district fixed effects, the Fuller (k = 4) estimator, and robust standard errors adjusted for clustering at the school district level. Coefficients in bold are treated as endogenous. Cost and efficiency indices in this table are derived based on expenditure regressions reported in Appendix A. $\bar{T}_{D}$ and $\bar{A}_{D}$ are $\left[\ln \{1 - X/V - \tau DX/V\}\right]$ and $\left[\left(V/\bar{V}\right)(A/Y)(1 - X/V - \tau DX/V)\right]$, respectively. Subscript numbers on variable names correspond to time dummy defined in the text.

* p < 0.10, ** p < 0.05, *** p < 0.01
### Table 3. Selected Structural Demand Parameters

<table>
<thead>
<tr>
<th>Variable</th>
<th>Model 1</th>
<th>Model 2</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Price Elasticities</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\mu_0$ for local tax share</td>
<td>$-0.17^{** *}$</td>
<td>$-0.17^{** *}$</td>
</tr>
<tr>
<td>$\mu_1$ for $\bar{T}_{D1}$</td>
<td>$-3.03^{** *}$</td>
<td>$-2.61^{** *}$</td>
</tr>
<tr>
<td>$\mu_2$ for $\bar{T}_{D2}$</td>
<td>$-1.55^{** *}$</td>
<td>$-1.35^{** *}$</td>
</tr>
<tr>
<td>$\mu_3$ for $\bar{T}_{D3}$</td>
<td>$-0.89^{** *}$</td>
<td>$-0.76^{** *}$</td>
</tr>
<tr>
<td>$\mu_4$ for $\bar{T}_{D4}$</td>
<td>$-0.72^{** *}$</td>
<td>$-0.64^{** *}$</td>
</tr>
<tr>
<td>$\mu_5$ for $\bar{T}_{D5}$</td>
<td>$-0.58^{** *}$</td>
<td>$-0.40^{** *}$</td>
</tr>
<tr>
<td>$\mu_6$ for $\bar{T}_{D6}$</td>
<td>$-0.42^{** *}$</td>
<td>$-0.24^{** *}$</td>
</tr>
<tr>
<td>$\mu_7$ for $\bar{T}_{D7}$</td>
<td>$-0.74^{** *}$</td>
<td>$-0.36^{** *}$</td>
</tr>
<tr>
<td>$\mu_8$ for efficiency index</td>
<td>$-4.40^{** *}$</td>
<td>$-3.84^{** *}$</td>
</tr>
<tr>
<td>$\mu_9$ for cost index</td>
<td>$-0.20^{** *}$</td>
<td>$-0.18^{** *}$</td>
</tr>
<tr>
<td><strong>Income Elasticity and Flypaper Effects</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\theta$ for income</td>
<td>$0.23^{** *}$</td>
<td>$0.20^{** *}$</td>
</tr>
<tr>
<td>$f_0^A$ for $\bar{A}_{D0}$</td>
<td>$34.9^{** *}$</td>
<td>$31.4^{** *}$</td>
</tr>
<tr>
<td>$f_1^A$ for $\bar{A}_{D1}$</td>
<td>$35.8^{** *}$</td>
<td>$35.8^{** *}$</td>
</tr>
<tr>
<td>$f_2^A$ for $\bar{A}_{D2}$</td>
<td>$41.0^{** *}$</td>
<td>$40.2^{** *}$</td>
</tr>
<tr>
<td>$f_3^A$ for $\bar{A}_{D3}$</td>
<td>$54.4^{** *}$</td>
<td>$53.7^{** *}$</td>
</tr>
<tr>
<td>$f_4^A$ for $\bar{A}_{D4}$</td>
<td>$56.2^{** *}$</td>
<td>$57.1^{** *}$</td>
</tr>
<tr>
<td>$f_5^A$ for $\bar{A}_{D5}$</td>
<td>$57.2^{** *}$</td>
<td>$68.7^{** *}$</td>
</tr>
<tr>
<td>$f_6^A$ for $\bar{A}_{D6}$</td>
<td>$52.1^{** *}$</td>
<td>$77.1^{** *}$</td>
</tr>
<tr>
<td>$f_7^A$ for $\bar{A}_{D7}$</td>
<td>$42.8^{** *}$</td>
<td>$62.4^{** *}$</td>
</tr>
</tbody>
</table>

Notes: These are the structural demand parameters associated with Model 1 in Table 2 using the formulas in Eom et al. (2014). Subscript numbers on parameter names correspond to time dummies defined in the text. * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$
Table 4. Demand Results
Including Interactions with Judicial Assessment Reviews (R)

<table>
<thead>
<tr>
<th>Variable</th>
<th>Main Effects</th>
<th>Interactions with R</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\tilde{T}_{D1}$ (year = 2000)</td>
<td>$-3.24^{***}$ (1.12)</td>
<td>$-1.35^{**}$ (0.60)</td>
</tr>
<tr>
<td>$\tilde{T}_{D2}$ (year = 2001)</td>
<td>$-2.08^{***}$ (0.74)</td>
<td>$-0.20^{*}$ (0.11)</td>
</tr>
<tr>
<td>$\tilde{T}_{D3}$ (year = 2002)</td>
<td>$-0.87^{***}$ (0.31)</td>
<td>$-0.45^{**}$ (0.18)</td>
</tr>
<tr>
<td>$\tilde{T}_{D4}$ (year = 2003-06 and 2010-11)</td>
<td>$-0.63^{***}$ (0.16)</td>
<td>$-0.44^{**}$ (0.18)</td>
</tr>
<tr>
<td>$\tilde{T}_{D5}$ (year = 2007)</td>
<td>$-0.82^{***}$ (0.23)</td>
<td>$0.0100$ (0.029)</td>
</tr>
<tr>
<td>$\tilde{T}_{D6}$ ((year = 2008)</td>
<td>$-0.38^{***}$ (0.062)</td>
<td>$-0.21^{**}$ (0.10)</td>
</tr>
<tr>
<td>$\tilde{T}_{D7}$ (year = 2009)</td>
<td>$-0.43^{***}$ (0.047)</td>
<td>$-0.68^{**}$ (0.29)</td>
</tr>
<tr>
<td>$\tilde{A}_{D0}$ (year = 1999)</td>
<td>$12.2^{***}$ (4.65)</td>
<td></td>
</tr>
<tr>
<td>$\tilde{A}_{D1}$ (year = 2000)</td>
<td>$14.9^{***}$ (5.66)</td>
<td>$0.16$ (0.21)</td>
</tr>
<tr>
<td>$\tilde{A}_{D2}$ (year = 2001)</td>
<td>$15.7^{***}$ (5.93)</td>
<td>$0.18$ (0.27)</td>
</tr>
<tr>
<td>$\tilde{A}_{D3}$ (year = 2002)</td>
<td>$23.8^{***}$ (8.92)</td>
<td>$0.21$ (0.32)</td>
</tr>
<tr>
<td>$\tilde{A}_{D4}$ (year = 2003-06 and 2010-11)</td>
<td>$22.9^{***}$ (8.72)</td>
<td>$0.74^{***}$ (0.21)</td>
</tr>
<tr>
<td>$\tilde{A}_{D5}$ (year = 2007)</td>
<td>$20.9^{**}$ (8.13)</td>
<td>$-0.86$ (0.76)</td>
</tr>
<tr>
<td>$\tilde{A}_{D6}$ (year = 2008)</td>
<td>$20.7^{**}$ (8.12)</td>
<td>$-1.92^{*}$ (1.17)</td>
</tr>
<tr>
<td>$\tilde{A}_{D7}$ (year = 2009)</td>
<td>$18.6^{**}$ (7.43)</td>
<td>$-2.54^{*}$ (1.49)</td>
</tr>
<tr>
<td>Log of tax share</td>
<td>$-0.28^{**}$ (0.11)</td>
<td></td>
</tr>
<tr>
<td>Log of income per pupil</td>
<td>$0.35^{***}$ (0.11)</td>
<td></td>
</tr>
<tr>
<td>Log of cost index</td>
<td>$-0.26^{***}$ (0.082)</td>
<td></td>
</tr>
<tr>
<td>Log of efficiency index</td>
<td>$6.51^{***}$ (2.36)</td>
<td></td>
</tr>
<tr>
<td>% of owner-occupied housing units</td>
<td>$0.00044^{**}$ (0.00017)</td>
<td></td>
</tr>
<tr>
<td>% of senior citizens (aged 65 or over)</td>
<td>$-0.0051^{***}$ (0.0016)</td>
<td></td>
</tr>
<tr>
<td>Average % of high cost students in rest of county</td>
<td>$0.0056$ (0.0037)</td>
<td></td>
</tr>
<tr>
<td>Average % of LEP students in rest of county</td>
<td>$0.019^{***}$ (0.0037)</td>
<td></td>
</tr>
</tbody>
</table>

Notes: This regression adds the filing of assessment reviews (R) to Model 1 in Table 2. Cost and efficiency indices are derived based on expenditure regressions available from the authors. $\tilde{T}_D$ and $\tilde{A}_D$ are the same in Table 2; $R$ is the log of the ratio of reviews to total owner-occupied housing units in a county; interactions are defined relative to the mean value of $R$. Other notes are the same as Table 2.
### Appendix A. Expenditure Results

<table>
<thead>
<tr>
<th>Variable</th>
<th>Model 1</th>
<th>Model 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>Performance measure</td>
<td>Coefficient</td>
<td>Standard Error</td>
</tr>
<tr>
<td>Teacher salary</td>
<td>0.18***</td>
<td>(0.057)</td>
</tr>
<tr>
<td>Enrollment</td>
<td>-0.83***</td>
<td>(0.17)</td>
</tr>
<tr>
<td>Enrollment squared</td>
<td>0.019*</td>
<td>(0.011)</td>
</tr>
<tr>
<td>% of free lunch students</td>
<td>0.010**</td>
<td>(0.0041)</td>
</tr>
<tr>
<td>% of LEP students</td>
<td>-0.0015</td>
<td>(0.0019)</td>
</tr>
<tr>
<td>% of students with severe disabilities</td>
<td>0.0072**</td>
<td>(0.0036)</td>
</tr>
<tr>
<td>% three-year log enrollment change if positive</td>
<td>-0.027***</td>
<td>(0.0036)</td>
</tr>
<tr>
<td>% three-year log enrollment change if negative</td>
<td>-0.020***</td>
<td>(0.0047)</td>
</tr>
<tr>
<td>$\bar{T}D_1$</td>
<td>-0.67***</td>
<td>(0.21)</td>
</tr>
<tr>
<td>$\bar{T}D_2$</td>
<td>-0.34***</td>
<td>(0.087)</td>
</tr>
<tr>
<td>$\bar{T}D_3$</td>
<td>-0.20***</td>
<td>(0.046)</td>
</tr>
<tr>
<td>$\bar{T}D_4$</td>
<td>-0.13**</td>
<td>(0.058)</td>
</tr>
<tr>
<td>$\bar{T}D_5$</td>
<td>-0.10*</td>
<td>(0.058)</td>
</tr>
<tr>
<td>$\bar{T}D_6$</td>
<td>-0.060</td>
<td>(0.072)</td>
</tr>
<tr>
<td>$\bar{T}D_7$</td>
<td>-0.11</td>
<td>(0.17)</td>
</tr>
<tr>
<td>$\bar{A}D_0$</td>
<td>1.85***</td>
<td>(0.31)</td>
</tr>
<tr>
<td>$\bar{A}D_1$</td>
<td>1.90***</td>
<td>(0.30)</td>
</tr>
<tr>
<td>$\bar{A}D_2$</td>
<td>2.14***</td>
<td>(0.37)</td>
</tr>
<tr>
<td>$\bar{A}D_3$</td>
<td>2.77***</td>
<td>(0.50)</td>
</tr>
<tr>
<td>$\bar{A}D_4$</td>
<td>2.84***</td>
<td>(0.55)</td>
</tr>
<tr>
<td>$\bar{A}D_5$</td>
<td>2.92***</td>
<td>(0.57)</td>
</tr>
<tr>
<td>$\bar{A}D_6$</td>
<td>2.64***</td>
<td>(0.53)</td>
</tr>
<tr>
<td>$\bar{A}D_7$</td>
<td>2.16***</td>
<td>(0.79)</td>
</tr>
<tr>
<td>Local tax share</td>
<td>-0.033*</td>
<td>(0.018)</td>
</tr>
<tr>
<td>Income per pupil</td>
<td>0.045***</td>
<td>(0.016)</td>
</tr>
<tr>
<td>% of college graduates</td>
<td>0.00018</td>
<td>(0.0011)</td>
</tr>
<tr>
<td>% of youths</td>
<td>0.0025</td>
<td>(0.0018)</td>
</tr>
</tbody>
</table>

Notes: The results from this table are used to compute cost and efficiency indices for Models 1 and 2 in Table 2. The remaining notes are the same as Table 2.
References


Epley, Nicholas, and Ayelet Gneezy. 2007. “The Framing of Financial Windfalls and


Hayashi, Andrew T. 2014. “The Legal Salience of Taxation.” The University of Chicago Law


New York State Office of Real Property Services. 2001. “Exemptions from Real Property Taxation in New York State: 1999 County, City & Town Assessment Rolls.”


Endnotes

1 See Schenk (2011) for a discussion of salience and other concepts, such as complexity.

2 This discussion of STAR draws on New York Department of Taxation and Finance (2015c) and Office of the New York State Comptroller (2012). See these citations for more detail.

3 A household that remains in the same house may not experience a decline in its STAR exemption of more than 11 percent per year.

4 Thanks to the exclusion of renters and the SPDF, STAR provides far more tax relief per pupil to rich than to poor districts (see Eom et al. 2014).

5 STAR administrative procedures were improved after its first year of implementation (1998-99) (McCall 1999), thereby raising the salience of STAR among households.

6 There were 1.9 million basic and 645,000 enhanced exemptions in 1999 (New York State Office of Real Property Services 2001) and 2,765,194 basic and 624,474 enhanced exemptions in 2010 (DiNapoli 2013, 5). According to the U.S. Census, NYS had 3,739,166 owner-occupied housing units in 2000 and 3,904,123 in 2010. These figures lead to the participation rates in the text. Participation rates in 2014 for the basic STAR exemptions were 90 percent or higher in most school districts (NYSDTF 2014).

7 Figure 2 highlights the STAR exemption with a box. This figure applies to a district in which the SPDF is 1.0; in a district with an SPDF above 1.0, the SPDF would not appear directly, but would affect the listed value of the STAR exemption.

8 The school budget voting rules are in New York State Education Department (NYSED, 2015).

9 The information required on a school tax bill is listed in NYSDTF (2015b).

10 See New York State Board of Real Property Services (2007; 2008; 2009).
Comprehensive information on the treatment of rebates on the TARs is not available. Some jurisdictions appear to include them in the STAR exemption amount and some do not, but no jurisdiction identifies the rebates specifically. Some jurisdictions also appear to include rebates on the 2009 TARs, even though the rebates were repealed in mid-April 2009. The jurisdiction in Figure 2 has 100 percent assessment, so no adjustment for assessment practices is needed.

The Sahm, Shapiro, and Slemrod (2012) result cited earlier supports this view.

In fiscal 2008 and 2009, $\tau$ falls into brackets with rates of 60, 45 and 30 percent for households with incomes below $250,000. The bottom bracket is wider (and the second bracket narrower) in downstate counties (New York State Committee on Real Property Taxation 2007). We determine a district’s bracket based on median household income from American Community Surveys.

Earlier studies are surveyed in Hines and Thaler (1995). In addition, the presence of the flypaper effect was also found in studies that examined its symmetry, i.e., whether local governments including school districts respond symmetrically to increases and decreases to intergovernmental grants. See Nguyen-Hoang and Hou (2014) for a recent example.

Eom et al. (2014) multiply augmented income by $f$ instead of $(1 + f)$, so their definition of the flypaper effect is different than ours.

Under some assumptions, a constant elasticity demand function can be derived from an “incomplete” demand system in which one set of commodities, $Z$ in our model, is not observed and interacts with observed commodities, such as $S$, only through a price index. See LaFrance (1986). The constant elasticity form we estimate has been widely used Duncombe and Yinger (2011), Eom et al. (2014), or Nguyen-Hoang and Yinger (2014).

Using median tax share for owners is consistent with a median voter model only under the assumption that renters do not vote, presumably because improvement in public services are
offset by increased rents. Because of this strong assumption, we interpret our demand estimations as approximations of the public choice mechanism. See Eom et al. (2014).

18 In addition to $\widetilde{A}$ and $\widetilde{F}$, we also treat the student performance measure, $S$, and teacher salary, $W$, as endogenous in the expenditure estimation. The IVs for $S$ are the average percentage of high-cost students and LEP students in the rest of the county while teacher salary is instrumented with the average manufacturing wage in the district’s county.

19 Federal aid to schools changed in 2001 when the No Child Left Behind Act was passed, but our results are not affected in a significant way by the inclusion of federal aid.

20 A balanced panel leads to very similar results.

21 We exclude transportation because it is not directly related to student performance and is influenced by a unique set of cost factors, such as population density.

22 The term “dropout” indicates “any student, regardless of age, who left school prior to graduation for any reason except death and did not enter another school or high school equivalency preparation program or other diploma program” (NYSED 2003).

23 In 2010, NYS changed the test scores required to reach “proficiency.” Our adjustment for this change is described in Eom et al. (2014).

24 Strictly speaking, $(1 + \tau)$ is not a constant in the last two rebate years, but it does not vary a great deal across districts and our calculations set $\tau$ at its average, which is 0.58.

25 The Slutsky equation also indicates the indirect impact of the rebates on the $\mu$ associated with the exemption-based STAR tax share. We find that this “spill-over” effect, which only arises to a significant degree in the first two rebate years, could consist of a modest decrease in $|\mu^c|$, a small increase in $f^P$, or by some combination of the two. The implied maximum $\mu^C$ changes are 0.24,
0.40, and 0.28 in the three rebate years, respectively, and the corresponding implied maximum changes in $f^P$ are –4.14, –7.69, and –5.83.

26 We are grateful to Joan Youngman of the Lincoln Institute for Land Policy for data on the share of homeowners in each Census block group that used an escrow account in 2000.

27 If we replicate our model with just one aid variable, unadjusted for local tax share or STAR tax share (the method in many previous studies), we find a significant flypaper effect of 11.3. The variables to correct for the STAR tax share are significant, however, and this simple model can be rejected in favor of the theoretically more accurate one.

28 From NYSDOB (2008): “The budget process for 2008-09 unfolded in unusual circumstances. A new governor, David A. Paterson, was sworn into office on March 17, 2008, two weeks before the start of the State's 2008-09 fiscal year, following the sudden resignation of Governor Eliot Spitzer. The gubernatorial transition occurred in a time of growing uncertainty over the economy ….. In the opinion of DOB, evidence from key economic indicators … indicates that the national economy has entered a recession, and that the State's economy will soon follow. In light of the deteriorating economic outlook, DOB has reduced its current-services forecast ….. There is a risk that further reductions to the receipts estimates for 2008-09 will be necessary…..”