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Labor Supply with Social Interactions: 
Econometric Estimates and 
Their Tax Policy Implications 

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Abstract
Our research fleshes out econometric details of examining possible social interactions in labor supply. We look for a response of a person's hours worked to hours worked in the labor market reference group, which includes those with similar age, family structure, and location. We identify endogenous spillovers by instrumenting average hours worked in the reference group with hours worked in neighboring reference groups. Estimates of the canonical labor supply model indicate positive economically important spillovers for adult men. The estimated total wage elasticity of labor supply is 0.22, where 0.08 is the exogenous wage change effect and 0.14 is the social interactions effect. We demonstrate how ignoring or incorrectly considering social interactions can mis-estimate the labor supply response of tax reform by as much as 60 percent.

JEL Codes: J22, Z13

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1. Introduction

Social interactions, defined as a response of individuals to the actions of people with whom they interact, may have a biological basis or stem from information gathering. Social interactions are a potentially important aspect of economic behavior because interdependencies can affect the behavioral responses of people to the expected and unexpected changes in their environment, including ones caused by public policy. We investigate the econometric nuances and empirical importance of social interactions in labor supply with taxes where the interdependence is a response of the individual to the hours worked by the members of a reference group. We find evidence of a positive spillover effect in hours worked that is important for tax policy, and show how ignoring or misinterpreting labor supply social interactions effects can lead to substantial under or overestimates of the labor supply effects of tax reforms.

There is wide-ranging evidence that people in close proximity may have a significant effect on the individual's decisions. Researchers have identified the presence of interdependence in the decisions of giving (Andreoni and Scholz 1998), voting (Schram and Sonnemans 1996), consumption (Sen et al. 2001, Childers and Rao 1992, Abu-Ismail 1992), crime (Glaeser et al. 1996), and health (Eibner and Evans 2005). Interdependent behavior may also present be in labor markets. There has been interest in social interactions in the female labor supply (Woittiez and Kapteyn 1998), young men’s labor supply (Weinberg et al. 2004), male labor supply with taxes (Aronsson et al. 1999), retirement (Hamermesh and Slemrod 2005), and job satisfaction (Hamermesh 1977, 2001).

Along with evidence of social interactions, there is an equally vast literature
showing that the interdependence is either economically insignificant, non-existent, or econometrically fragile. For example, studies point out the importance of the reference group choice when studying teenage behavior (Kooreman and Soetevent 2002), cohabiting (Jacques and Chason 1978), and workplace interactions (Baker et al. 1968). The selection of the instrumental variables to identify social interactions can also dramatically change the results (Evans, Oates, and Schwab 1992).

The variety of interdependence studies and their conflicting conclusions underline that identification of social interactions is econometrically complex (Soetevent 2006). The first challenge a researcher needs to confront is what is the correct reference group (Durlauf 2004). The reference group identity issue is largely ignored due to complexity, with a notable exception by Woittiez and Kapteyn (1998) and Sun (2005).

The second challenge emerges because interdependence means that people respond to the behavior of others in their reference group, so we should observe correlated behaviors in neighborhoods, regions, or cities. However, there are other reasons why we may observe correlated behavior; without additional information it is impossible to distinguish endogenous effects from exogenous or contextual effects (Manski 1993).

The benefits of empirical social interactions research are that once the researcher identifies any interdependence one can perform a more complete welfare analysis. Policy oriented economic models can relate social interactions to health outcomes (Deaton 2001), measurement of poverty (Pradhan 2001), or effects of taxes (Aronsson et al. 1999, Abel 2005). Studies suggest that improving the situation of the neighborhoods, or movement of individuals between neighborhoods can greatly affect the social welfare in
the local communities. A recent issue of the *Journal of Applied Econometrics* (Special Issue: Empirical Analysis of Social Interactions, 2003, September/October, Vol. 18, No. 5) also presents recent applications to peer effects in colleges, social interactions in housing demand, and interdependence in worker's productivity.

Here we address many of the practical issues related to identifying the effect of endogenous social interactions on an individual's actions. We create a flexible measure of the economic distance approximating the level at which individuals interact among one another. We define the economic distance between individuals as a combination of personal characteristics and physical distance. Our measure reflects the varying costs of interaction as higher economic distance implies higher cost of interaction, which implies a lower level of interaction. We then define the reference groups, each of which consists of persons who are in a close economic proximity, and compute hours worked for each person in the reference group (endogenous social interactions). We create an instrument from the mean of hours worked for persons who are in the adjacent reference group to instrument endogenous social interactions. The specification lets us examine the core issue of whether the hours supplied by persons in close economic proximity are related.

To frame the importance of social interactions we purposely use Panel Study of Income Dynamics data from 1976 to anchor our research to the seminal cross-section studies of male labor supply by Hausman (1981) and MaCurdy et al. (1990). Econometric results suggest positive and non-negligible social interactions in hours worked. The total wage elasticity of labor supply is 0.22, where about one-third (0.08) is due the exogenous wage change and about two-thirds (0.14) is due to social interaction synergies. We demonstrate how improperly accounting for social interactions can lead to mis-estimation
of the labor supply effects of tax reform by ±60 percent.

2. Theory

Theories of social interactions have a long history in the economic literature. Since Becker (1974), the evolution of economic theory includes developing many forms of interactions: social norms (Lindbeck, Nyberg, and Weibull 1999), peer-group effects (de Bartolome Charles 1990), neighborhood effects (Durlauf 1996), conformity effects (Bernheim 1994), herding (Smith and Sorensen 2000), spillovers (Roback 1982), contagion (Rigobon 2001), social capital (Glaeser et al. 2002, Becker and Murphy 2000), and positional goods (Frank 1985). In most cases the method differs according to the application, from an overlapping generations framework to a Bayesian learning model. Theoretical exercises share the common feature that the utility of the individual is somehow affected by either utility or choices made by members of the reference group, who are people with whom the individual interacts.

In our theoretical framework we follow Brock and Durlauf (1995) and Grodner and Kniesner (2006) who introduce interactions into a baseline model with additive total utility consisting of individual utility and social utility. We assume that the economy is in an equilibrium developed neighborhood structure (Durlauf 1996). In what follows we use the terms membership group, neighborhood, and community as equivalent and meaning persons who are part of the individual's reference group.

Consider now a general utility function that includes a negative spillover effect for others’ hours worked:

\[
V_{ig}(c_{ig}, h_{ig}; b_x(\mu_y)) = u_{ig}(c_{ig}, T - h_{ig}) - b_x(\mu_{ig})s(h_{ig})
\]

st. \(c_{ig} \leq h_{ig}w_g\), \(i = 1, \ldots, n\) \(\mu_y = 1, \ldots, m\) \(x = 1, \ldots, X\) (1)
where $V_{ig}(\bullet)$ represents total utility of person $i$ who belongs to the reference group $g$, $u(\bullet)$ represents a private utility over consumption ($c$) and leisure ($T-h$), where $T$ is total available time, $h$ is hours worked/labor supplied, and $[-b_g(\mu_h)s(h_g)]$ is total social disutility of working. Unlike the canonical utility function, total disutility of hours worked depends on the level of $b_g(\bullet)$, which represents the importance of social disutility. For the individual $i$ in reference group $g$, $b_g(\bullet)$ is increasing in average hours worked in the reference group, $\mu_{hg}$, excluding the $i$th worker (so $\mu_{hg} = \bar{h}_{(i)g}$), with $b_g(0) = 0$, $b_g(\infty) \to \infty$, and $b'_g > 0$. Total social disutility also depends on $s(\bullet)$, which is the social disutility of individual hours worked (disutility of the individual from how others judge his or her work level) with $s(0) = s_0 > 0$, $s(\infty) \to 0$, $s' < 0$, and $s'' > 0$; $s_0$ is autonomous social disutility, which is equal across individuals and reference groups.

Finally, $w_g$ is a wage rate in the reference group $g$.

Social disutility of individual's hours worked $s(\bullet)$ is always non-zero with a maximum value $s_0$ at zero hours worked. Social disutility of ones hours worked seems most likely to be decreasing ($s' < 0$) at a decreasing rate ($s'' > 0$). The decrease in the social disutility means that as individuals work more hours they believe others judge them less harshly. A decrease of social disutility at a decreasing rate means that as individuals work more hours the gain of appearing better in the eyes of peers is getting smaller. The worker may also view certain levels of hours worked as satisfactory and care less and less about opinions of others as long as the worker reaches some accepted levels of hours worked according to his or her personal belief system.
A typical maintained hypothesis is that the importance of the social utility term, \( b \), is increasing in the average hours worked in the individual's reference group \( (b'_g < 0) \). So, when workers see that the environment is filled with other hard-working people they expect to be judged more if they stick out more relative to the labor market performance of others. The individual may feel more negatively perceived if further down the ranking of work effort.

After setting up the Lagrangian, taking the total differential of the first-order conditions of (1), and performing comparative statics based on the properties of social interactions in labor supply just described, the result emerging is that

\[
\frac{dh}{d\mu_h} = \frac{(+)(-)}{-b's'} - \frac{(+)(-)}{b's'} \left[ bs''(h) + 2wu_{ch} - u_{hh} - w^2u_{cc} \right] > 0
\]

with the partial derivatives of private utility, \( u_{cc} < 0 \) and \( u_{hh} < 0 \).

In equation (2) an increase in average hours worked in the reference group increases the individual’s hours worked. The intuition is that when the average labor supply increases the parameter \( b \) increases, social disutility increases, and total utility decreases. To find a new maximum total utility the worker increases hours worked; although utility decreases because hours worked are a bad \( (u_h < 0) \), an increase in the labor supply reduces social disutility because \( s' < 0 \). Overall, an increase in hours worked increases total utility because the decrease in social disutility is higher than the decrease in individual utility. The model suggests that workers who are in an environment with a relatively many hard working people are induced to work more hours than when there is no social interactions effect.
The utility function $u_{ig}(c_{ig},h_{ig}; \mu_{ng}) = [(h_{ig} - b)/\beta]\exp[-[1 + \beta(c_{ig} + \tilde{s})/(b - h_{ig})]]$, where $b = \alpha / \beta$, $\tilde{s} = (s / \beta - (\alpha / \beta^2)$, $\alpha$ and $\beta$ are parameters, and $s$ is a linear combination of reference group variables ($\mu_{ng}$), is the utility function derived by Hausman (1980, 1981) amended to include social interactions. We will use the resulting linear labor supply function when examining the hypothesis that there are social interactions present in labor supply. In the empirical work to follow we regress individuals’ hours worked on average hours worked in their reference groups, cet. par. A positive coefficient on labor supplied by the reference group indicates the presence of a positive spillover effect in hours worked (Woittiez and Kapteyn 1999, Aronsson et al 1999). We now flesh out the econometric details involved with examining social interactions in individual labor supply.

3. Econometric Model

The canonical linear labor supply model with social interactions we estimate is

$$h = \theta + \alpha \omega + \beta \nu + \gamma x + \delta_1 \bar{h}_{(-i)g} + \delta_2 \bar{x}_{(-i)g} + \varepsilon,$$

where $\omega$ is the after-tax real wage, $\nu$ is after-tax virtual income, $x$ is a vector of individual control covariates, $\bar{h}_{(-i)g}$ is reference group average labor supplied, $\bar{x}_{(-i)g}$ is the vector of control covariate averages for the reference group, $\varepsilon$ is the error term, and $[\theta, \alpha, \beta, \gamma, \rho, \delta_1, \delta_2]$ are parameters to estimate.

3.1 Independent Variables

The net wage rate ($\omega$) uses a marginal tax rate $\tau$ provided by the PSID, and is $\omega = (1 - \tau)w$. Virtual income ($\nu$) also uses the marginal tax rate from the PSID. To
control for possible endogeneity when estimating (3) we instrument both the after tax wage and virtual income using last year's gross wage and non-labor income (Ziliak and Kniesner 1999).

The control covariates in labor supply include number of children less than six years old, family size, an indicator if the person is more than 45 years old, the equity the family has in their house, an indicator of a physical or nervous condition that limits the amount of work, and hours worked in the previous year in some specifications to control for individual heterogeneity in the cross-section. The control covariates are standard exogenous explanatory variables in labor supply studies.

3.2 Social Interactions Variables

The mean for hours worked in the reference group is the sample average of hours worked for other people who are close in economic distance to the worker. In the computing the average we exclude the individual for whom we are computing a reference group mean outcome. The estimated value of the parameter $\delta_1$ represents the effect of endogenous social interactions in hours worked.

Computing the mean of covariates takes multiple steps. First we create a proxy variable summarizing the information in the exogenous covariates. We then use factor analysis and take the first factor as a proxy variable for exogenous information. The new variable does not have a direct interpretation because it is standardized to have zero mean and unit variance, however it is highly correlated with all the exogenous variables as well as the individual’s hours worked. The mean in the reference group for the created proxy variable uses the same range of the economic distance variables as used for computing mean hours worked, again excluding the person for whom we are computing the
reference group mean. The proxy variable controls for the common characteristics of the reference group, and the estimated coefficient $\delta_2$ indicates any presence of exogenous social interactions.

### 3.3 Identifying Social Interactions

The form of the labor supply equation in (3) can identify the presence of both endogenous (in the dependent variable) and exogenous (in the independent variables) social interactions. Identification requires some additional structure, though (Manski 1993, Moffitt 2001).

If the reference groups are completely separable then a randomly distributed shock that affects hours worked for some individuals and not others can help identify endogenous social interactions (Moffitt 2001). When reference groups overlap there are a variety of empirical approaches including repeated samples (Aronsson et al. 1999), structural models (Brock and Durlauf 2002, Kapteyn et al. 1997, Krauth forthcoming), aggregated data (Glaeser et al. 2002), within versus between variation (Graham and Hahn 2005), or spatial econometric techniques (Kelejian and Prucha 1998).

Alternatively, suppose there are workers who belong to more than one reference group, and one uses them to compute the (endogenous) mean for reference group hours worked. Hours worked by people in the adjacent reference group can now be an instrument; this is similar to using past values of the dependent variable in a dynamic panel data model (Arellano and Bond 1991). Here we use as an instrument the mean for workers in the adjacent reference groups, which are defined by a social grid with two social coordinates from factor analysis. The instrument is correlated with mean hours worked in the individual’s reference group (endogenous social interactions) because
people in the specific reference group and the adjacent reference group belong to the same economic neighborhood. The instrument should also be uncorrelated with unobservables affecting individual labor supply because the particular individual does not belong to the adjacent reference group.4

Figure 1 illustrates our particular identification strategy. We present the hypothetical two-dimensional social coordinate space with two reference groups: \(g_1\) and \(g_2\). Suppose now that individual \(h^o_{g_1}\) belongs to the reference group \(g_1\) and responds to the outcomes of the members of the reference group, represented by the observations labeled as \(h^1_{g_1}\) and \(h^2_{g_1,g_2}\) (empty and gray-filled circles). If we use the mean of all \(h^1_{g_1}\) and \(h^2_{g_1,g_2}\) observations (referred further as \(\bar{h}^{(-o)}_{g_1}\)) as an independent variable in the regression (3) to try to identify endogenous social interaction in \(h^o_{g_1}\) the coefficient will be biased because observations \(h^1_{g_1}\) and \(h^2_{g_1,g_2}\) are also affected by the outcome \(h^o_{g_1}\), which causes endogeneity in the \(\bar{h}^{(-o)}_{g_1}\). However, if there are observations in the reference group \(g_1\) that also belong to the neighboring reference group \(g_2\), then part of \(\bar{h}^{(-o)}_{g_1}\) attributed to the outcomes \(h^1_{g_2}\) can be instrumented by the outcomes of the members of the reference group \(g_2\), denoted by \(h^1_{g_2}\). We can use instrumental variables (IV) estimation because \(h^3_{g_2}\) are correlated with all \(h^i_{g_1,g_2}\) observations because they belong to the same reference group, and \(h^3_{g_2}\) are not correlated with the error terms associated with either \(h^o_{g_1}\) or \(h^1_{g_1}\) observations because they do not belong to the same reference group. Observations \(h^1_{g_2}\) are transitorily correlated with the outcomes \(h^o_{g_1}\) and \(h^1_{g_1}\) only through the deterministic part of observations \(h^2_{g_1,g_2}\).
In practice, if we instrument observations \( h_{g_1 g_2} \) with outcomes \( h_{g_2} \) there may still be observations \( h_{g_1} \) that are not instrumented and thus will make a part of the \( \overline{h}_{g_1} \) endogenous, which is the case presented in Figure 1. Instead of using just one reference group we can imagine using a full set of observations in the adjacent reference groups that form the ring around the particular reference group (represented by the dotted circle).

4. Data

We use data from the University of Michigan's Panel Study of Income Dynamics (PSID) collected in years 1975 and 1976 (PSID Wave IX). One reason for using the PSID is that it is the most frequently used data to study U.S. labor supply (Blundell and MaCurdy 1999, Ziliak and Kniesner 1999). We purposely choose the 1976 cross-section of the PSID data because we seek to understand how social interactions may effect labor supply by anchoring our estimates to the influential research of Hausman (1980, 1981) and MaCurdy et al. (1990) who use the same data to examine how taxes affect labor supply.

4.1 Sample

We follow the sample selection process described in Eklöf and Sacklén (2000) who compare the studies by Hausman (1981) and MaCurdy et al. (1990) to which we anchor our research. Both studies estimate an almost identical linear labor supply model with income taxation. We select observations according to the following criteria: married males 26–55 years old with positive hours worked in 1974 and 1975 (but no higher than 5096 annual hours), who are heads of households in the cross-sectional random sub-sample; there were no changes in the family composition of the head or wife (others can
change) in years 1974–1975; the head is not retired, permanently disabled, housewife, student, or other; the household resides in the United States; and the head is not self-employed or a farmer. Using our exclusion criteria for the 1976 PSID we obtain 1077 observations, which is close to the Hausman sample of 1084 and the MaCurdy sample of 1018 as reported by Eklöf and Sacklén (2000).\textsuperscript{5}

### 4.2 Individual Regression Variables

The wage rate comes from a direct question in the PSID, including an imputed value for workers who are not paid by the hour. We also estimate a wage equation to impute hourly wages for observations with unobserved or truncated wages. In particular, we use observations that have positive and not top-coded wage rates (839 observations) to estimate a Tobit regression that uses as the dependent variable observed (un)truncated wages on a constant term, age, age squared, years of schooling, years of schooling squared, college degree, and family size. We then use the estimated wage equation to produce a fitted value for all wages. The procedure is similar to that in Hausman (1981), and so our mean hourly wage is $6.17, which nearly identical to the $6.18 reported by Hausman.

Hours worked, the dependent variable, also comes from a directly asked question in the PSID. Non-labor income is a constructed variable that is the difference between total 1975 taxable income of the husband and wife and total 1975 labor earnings of the husband. The hours worked and the non-labor income measures we use are also those of MaCurdy et al. (1990). Other independent variables include number of children less than six years old (KIDSU6), family size (FAMSIZ), an indicator variable for individuals more than 45 years old (AGE45), the amount of equity the family had in its house
(HOUSEQ), and an indicator of a physical or nervous condition that limited the amount of work the respondent could do (BHLTH). Appendix A presents descriptive statistics for all regression variables.

4.3 Reference Group and Economic Distance

Specifying the composition of the individual's reference group is the researcher’s central decision in any study of interdependence (Manski 1993, 2001). Implementing the reference group concept means acknowledging that people who are in relative proximity to each other may interact with one another because the cost of interactions is low. We use the concept of economic distance among individuals as an indicator of the potential significance and magnitude of workers’ interdependencies (Conley 1999). We take people who are in close economic distance as belonging to the same reference group.

Economic distance is a combination of whether the workers are similar demographically and live in close physical proximity. We use a combination of personal and family characteristics to define demographically similar persons and use the distance between centers of counties in which people reside for their relative geographic locations.

There are multiple difficulties involved with selecting from a large variety of characteristics to measure economic distance. Acknowledging that each characteristic measure has a difference scale, and determining the relative importance of each input variable on economic distance, we use a statistical model of factor analysis (Woittiez and Kapteyn 1998). The factor analytic model deals naturally with characteristics having different measurement scales; the procedure standardizes individual variables then fits a linear model to find common latent variables called factors (Bai and Ng 2002, Bai 2003). The intuition is that there are unobservable variables (factors) that are orthogonal to one
another and that are strongly correlated with observed variables. We use the factors as social coordinates to establish reference groups.

Because the typical variables explaining labor supply can affect whether workers interact with each other by being related to economic distance, our factor analysis inputs all independent variables from the econometric labor supply model (3). We also use physical coordinates indicating the location by the center of the county where the person resides. We use two factors to summarize demographic and physical coordinates because there is usually a much better fit with multiple factors than with only one factor, but using too many factors tends to be uninformative. By using two factors we have the convenient feature that the computed latent variables serve as two social coordinates (SocCoord1, SocCoord2) for where individuals are located on a social interactions grid with economic distance measured by Euclidean distance between two points.

5. Empirical Results: Labor Supply with Social Interactions

Because in our study there is no clearly defined reference group we first select persons likely to have interdependent labor supplies by using the two social coordinates to define overlapping neighborhoods. The reference group now defined, we then estimate the labor supply model in (3) using instrumental variables for identification. Finally, we interpret the social interactions effects in terms of endogenous versus exogenous wage effects.

5.1 Selecting the Reference Group

Because we do not have direct information on who belongs to the reference group for a particular person we use a statistical procedure to infer it from the location and
characteristics of the group’s members. We believe that our observations are representative for working married men in terms of their individual characteristics and spatial distribution.

We can think of the reference group as a ring of certain radius centered around the individual in two-dimensional social coordinate space (Figure 1). The problem is then to select the radius best representing the borders of the reference group. The borders selection problem is key because we use sample observations to compute the characteristics of close-by individuals. Each observation establishes possible multiple reference groups so that careful selection of borders is critical here for identification.

To find borders for the membership groups we use a result from spatial econometrics that as the reference group size expands the coefficient on endogenous social interactions tends to minus infinity (Kelejian and Prucha 2002). In our application endogenous social interactions are represented by the mean of hours worked by others in the worker's reference group, $\text{AnnHSRG}_0 R$, where $R$ indicates the radius dimension of the reference group’s circle. If there are social interactions present at a certain size of the reference group, then the upward bias because of reference group labor supply endogeneity will overcome the statistical tendency for $\hat{\delta}_i$ in (3) to become negative as the neighborhood size increases, (Anselin 1988). The reference group with the most positive $\hat{\delta}_i$ in exploratory estimates of (3) then reveals the size of the worker’s reference group.

In Table 1 we present results from baseline labor supply regressions with a social interactions variable, $\text{AnnHSRG}_0 R$. Estimation starts with $R = 1$, which means that the average of hours worked uses nearby workers in the social space within the distance of 0.1 or less. When the indicator $R = 1$ the reference group has around 13 workers. As the
size of the reference group increases in the social space (the radius indicator $R$ increases), the number of persons who are considered to be economically close to a worker increases from 44 to about 271 in Table 1.

As expected a priori, the coefficient on average hours worked by neighboring persons is increasingly negative across the columns of Table 1, going from about $-0.2$ to $-1.5$ as the reference group size increases. Such a tendency will be observed for any estimator including the IV regressions of Table 1 (Kelejian and Prucha, 2002). Critical to our research is that the reference group labor supply coefficient becomes positive at the size of the reference group where radius indicator $R = 2$.

The importance of Table 1 is that the pattern of regressions reveals the group size with the largest upward bias due to endogeneity of the AnnHSRG variable. The endogeneity caused by labor supply interdependencies is most positive for the range $(0,0.2)$, so we pick 0.2 as the radius most closely capturing the true size of the reference group. Results from a Moran I test (Anselin 2001, p. 323) confirm the presence of social interactions in hours worked and that the radius we adopt to define the reference group is reasonable. The practical consequence of our specification search is it indicates that the reference group contains about 44 persons, which means that it is small enough to guarantee sufficient variation across groups but large enough so that the computed average hours worked are meaningful and have relatively small error due to aggregation.

### 5.2 Social interactions Effects

The focus of our research is on examining interdependence in hours worked using the canonical model of labor supply applied to cross-section data. This anchors our results for purposes of interpretation to the influential labor supply research of Hausman
We first confirm that our estimates for the uncompensated wage and income elasticities are similar to the results of Hausman and MaCurdy et al. The first column of Table 2 presents IV regression wage and income coefficients for their canonical models of labor supply. The uncompensated wage elasticity at the means is 0.14 and the income elasticity at the means is −.008; both values are typical estimates in the econometric labor supply literature that serves as our starting point for judging the importance of social interactions.

Our focal regression results are presented in column two of Table 2, where we add past hours worked as a simple control for additional person-specific heterogeneity and hours worked in the reference group as reflecting social interactions. We also use as a regressor the average of the proxy variable for the exogenous variables constructed via factor analysis (IndVORG_2_6). The estimated social interactions effect is that a 10 hours increase in the reference group labor supplied would increase individual's hours worked by about 6 hours. The estimated social interaction effect in column two of Table 2 is significant statistically and economically reasonable in magnitude.

It is important to re-emphasize that the estimated social interactions effect, \( \hat{\delta}_1 \), which is the impact of average hours worked by persons in the worker's reference group (AnnHSRG_0_2), has the expected sign and magnitude only after the interdependence has been instrumented, which we do in Table 2. The results in Table 1 are inconsistent because they suggest the presence of endogenous social interactions (Durbin-Wu-Hausman test rejects exogeneity at the 5 percent level). Because of the difference between the results in Tables 1 and 2 we need to emphasize the method we use to
construct the instrument for social interactions in labor supply.

As noted, there are no obvious variables to provide exogenous variation with which to instrument reference group work effort, so we use the structure of the data to construct an instrument for the reference group’s labor supplied. Taking reference groups as overlapping with boundaries as fixed, average hours worked by persons in the adjacent reference groups can be instruments. The outer boundary of the persons for the instrument group will be exactly twice the size of the radius for each neighborhood because there may be workers who are located exactly on the boundary for both the reference group of interest and the adjacent reference group.9 We construct hours worked by individuals in the outside ring in Figure 1, (0.2, 0.6], which has an average of 226 observations for each instrument group. First-stage goodness of fit and Sargan test results for the regressions in Table 2 confirm that our instruments (for all three right-hand side endogenous regressors) are valid in terms of passing the standard checks for weak instruments and that the overidentifying restrictions are satisfied.

5.3 Sensitivity Analysis

It is instructive to examine how our results may or may not be robust to the sizes of the reference group or adjacent groups comprising the instrument set. How might our results change by (1) shrinking the outer circle boundary in Figure 1, which leaves the reference group size the same but decreases the number of observations viewed as nearest neighbors for the reference group, or change by (2) shrinking the inner reference group circle boundary in Figure 1, which makes the reference group smaller?

In the first sensitivity experiment, as the instrument group shrinks the IV estimated social interactions effect is similar while becoming statistically less precisely
estimated. Our interpretation is that the instrument loses power as the size of the instrument set shrinks.

In the second sensitivity experiment, we find that when the reference group size shrinks the estimated social interactions effect is again basically unchanged although statistical efficiency of the estimate again decreases. We interpret the result of the second sensitivity experiment as indicating that the range for the reference group is well chosen because within the group there should be a similar level of interactions, and we are just choosing a progressively smaller and small subgroup who still interact.

Having discussed the sensitivity of our results instrument construction we now turn our attention to the economic interpretation and policy implications of our estimated social interactions effects in male labor supply.

5.4 Interpreting the Importance of the Estimated Social Interactions Effect

The presence of social interactions in labor supply means that individuals respond to others’ hours worked by a non-negligible amount. A social interactions effect is important because policy affecting the wages or another independent variable of a subgroup will not only affect the individual but also affect others in the reference group. We therefore focus on the direct versus the indirect effect of interdependence. In particular, we study the consequences of interdependence for the estimated effect of wages on labor supply, which economists use widely in welfare effect simulations of tax reform proposals.

Taking the mean values in equation (3) and focusing on hours worked and wages,

$$\bar{h} = \alpha \bar{\omega} + \delta \bar{h} \Rightarrow \bar{h} = \alpha \frac{1}{1-\delta} \bar{\omega},$$  \hspace{1cm} (4)
where the quantity $1/(1 - \delta_i)$ is known as the global social multiplier because it represents the effect of social interactions at the highest level of aggregation (Glaeser et al. 2003). The total effect of a wage change can be decomposed into

$$\frac{\partial \bar{h}}{\partial \bar{\omega}} = \frac{\alpha}{1 - \delta_i} = \alpha + \frac{\alpha \delta_i}{1 - \delta_i},$$

(5)

where $\alpha$ is the exogenous effect, and $(\alpha \delta_i)/(1 - \delta_i)$ is the endogenous effect. Notice that the endogenous effect depends on both the magnitude of the initial exogenous change and the social multiplier.

Multiplying equation (5) by $\bar{\omega}/\bar{h}$ the uncompensated elasticity is

$$\eta_{hw,\text{total}} = \eta_{hw,\text{exogenous}} + \eta_{hw,\text{endogenous}},$$

(6)

where $\eta_{hw,\text{exogenous}} = \alpha \bar{\omega}/\bar{h}$ and $\eta_{hw,\text{endogenous}} = \alpha \delta_i \bar{\omega}/(1 - \delta_i) \bar{h}$. For $\delta_i < 0.5$ the exogenous effect is larger than the endogenous effect, but for $\delta_i > 0.5$ the endogenous effect is larger. As we will later emphasize, the decomposition in (6) underscores how ignoring labor supply interdependencies may have serious consequences for the elasticity estimates of interest.

Using the values from column two of Table 2, the total uncompensated wage elasticity of labor supply at the means is 0.22, with an exogenous part of 0.08, and a endogenous part of 0.14. In comparison, the baseline model results from column one of Table 2 are an uncompensated net wage elasticity of 0.13. When we purposely ignore social interactions the estimated exogenous wage effect is about 60 percent too high; the positive bias in the canonical model happens because the single (wage) coefficient estimate also imbeds the effect of labor supply interdependencies. The twin findings that (1) the wage elasticity has two unequal and sizeable parts in the social interactions model...
and that (2) the wage coefficient of the traditional model has sizeable omitted variable bias have important consequences for evaluating tax policy.

5.5 Implications for Tax Policy Calculations

Theoretical solutions to optimal static or dynamic taxation in the presence of social interactions externalities use the parameters of the utility and attendant consumption and labor supply functions (Kooreman and Schoonbeek 2004, Abel 2005). Our research clarifies the econometric subtleties of implementing labor supply models with spillover effects and then presents econometric estimates of the importance of social interactions in labor supply. Our most basic results are that U.S. male labor supply data (1) reject a model ignoring social interactions against one with spillovers and (2) reject a model with spillovers treated as exogenous against one with spillovers treated as endogenous. A regression model that ignores spillovers in labor supply underestimates the wage elasticity of labor supply by about 40 percent; if one uses a social interactions model but ignores endogenous interactions one underestimates the wage elasticity by over 60 percent.

It is less obvious how we should apply estimates that let the policy-maker apportion the total wage elasticity into segments with and without social interactions. Some back-of-the-envelope calculations for the proportional tax rate case are instructive. Results from the preferred model in Table 2, column 2, are that a 10 percent comprehensive tax rate cut would raise male labor supply by as much as 2.2 percent when social interactions are considered; ignoring social interactions would lead to about a 60 percent under-estimate of the labor supply effect of the tax cut (0.8 percent). Less well established is how to use in policy calculations our decomposition of the total wage
elasticity into its exogenous component (+0.08) and its endogenous social interactions component (+0.14).

To flesh out the enriched implications of a labor supply model with social interactions let us consider some of the details of a proportional tax reduction applied to married men in a case where one need be careful with potential social interactions effects. Suppose the proportional tax rate change applied only to families with disabled children. The subpopulation affected would be relatively small and scattered geographically; the reference group effects could be ignored safely, and the appropriate elasticity to use would be closer to 0.08 than to 0.22. Alternatively, suppose we were discussing the effect of a proportional state income tax change on the highest earners in a state such as California, where many would live in the same area. Now feedback effects would be present. The elasticity to use would then include non-negligible social interactions effects and would probably be closer to 0.22 than to 0.08.

The importance of gauging what is the correct elasticity in terms of the exogenous and endogenous parts is only useful if we can define whether or not a particular group will be affected by interactions. If the persons who are affected do not belong to the same reference group then most likely we would only observe the exogenous effect, and the elasticity would overestimated if we used an elasticity that contained both exogenous and endogenous components, which was the first example in the last paragraph. If the tax reform applied to members of a reference group, though, then there would be a full-blown feedback effect and the elasticity that used only an exogenous component would underestimate the total labor supply effect, which was the second example above.
6. Conclusion

Our research uses the canonical model of labor supply that adds possible social interactions in hours worked. We flesh out the econometric nuances of testing whether an increase in hours worked by the members of the reference group increases hours worked for the individual (endogenous social effect). The reference group here contains persons in close economic distance to each other. Our measure of economic distance uses factor analysis, which allows mapping neighborhood variables into a two-dimensional social space. Our identification strategy builds on the likelihood that some persons belong to more than one reference group so that their hours worked may be used to instrument for endogenous labor supply of individuals in the worker’s reference group.

In our regression model of married men’s labor supply if social interactions are treated as exogenous there is no estimated effect of the reference group behavior on the individual worker's behavior. When we instrument mean hours worked of the reference group we find a social interactions effect that is significant both statistically and economically. The estimated total wage elasticity of labor is 0.22, where about one-third is due to the exogenous wage change and two-thirds is due to social interactions effects.

The policy implications are that if one is to understand fully the labor supply and welfare effects of income taxes, which may be conditioned on demographic and location information, a model including social interactions is best. Equally important is a proper interpretation of the social interactions model results. We demonstrate how a mis-specified model or a properly specified model that is mis-interpreted can easily lead to mis-estimates of the labor supply effects of tax reform by as much as 60 percent.
Endnotes

1. The baseline level of social disutility $s_0$ is exogenous, and we begin by assuming that it is constant for all individuals across all groups. Homogeneity is important because if $s_0$ varies either across individuals due to heterogeneity or across the groups due to reference-group specific characteristics, then it is impossible to discuss the effect of social utility $b(\bullet)$ versus the effect of autonomous social utility $s_0$.

2. The overall result here would not change if $s^* < 0$.

3. $\nu = [NLI + (\tau - (TT/(TI - NLI)) \times (TI - NLI))]$, where NLI is non-labor income, TT are total taxes, and TI is taxable income (Ziliak and Kniesner 1999).

4. A strategy similar to ours just described is in Case and Katz (1992), who instrument for the endogenous effect using the average levels of adjacent neighbors’ characteristics that are supposedly exogenous. Similarly, Evans et al. (1992) instrument school composition with city-wide variables for the unemployment rate.

5. The difference between the number of observations used by MaCurdy et al. (1990) and our study comes from the fact that we dropped two observations because the head’s age was missing and that we did not exclude persons who were self-employed and farmers in 1975 but not in 1976 (changed employment status). Due to restricting the sample to individuals who also reported hours worked for year 1974, we have a final sample of 910 men.

6. The first factor loads primarily on demographics and explains about 75 percent of
the total variation in the variables. The second (rotated) factor loads primarily on location and then explains about 15 percent of the information.

7. The intuition behind the result is that as the size of the group used to produce the average grows it approaches a similar value for everyone and become increasingly collinear with the regression constant term.

8. The coefficient on the hours worked for the reference group needs to be less than 1.0 here. Otherwise, a one hour increase in the mean hours worked for the reference group would induce a worker to increase his labor supply by more than one hour, which in turn would increase the hours worked for other men in the individual's reference group even further. The labor market equilibrium would be explosive, and a small positive shock to hours worked for any individual in the reference group would cause a domino effect where in the limit all workers choose the maximum feasible hours.

9. The result stems from symmetric boundaries around each member. We thank Dan Black for that observation.
Table 1. Selection of the Reference Group Using IV Regression

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Standard errors in parentheses
Endogenous variables' coefficients in bold. Weak instrument check statistics appear in Table 2.
Additional Control Variables: KIDSU6, FAMSIZ, AGE45, HOUSEQ, BHLTH, Constant
* significant at 10%; ** significant at 5%; *** significant at 1%
Table 2. IV Regressions with Social Interactions

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<th>(3) Only heterogeneity</th>
<th>(4) Only social interactions</th>
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Standard errors in parentheses
Endogenous variables’ coefficients in bold. F(Shea partial $R^2$) = 53.0(0.189), 368.1(0.621), 51.9(0.188)
Additional control variables in all equation: KIDSU6, FAMSIZ, AGE45, HOUSEQ, BHLTH, Constant
Additional control variable in (2) and (3): AnnualHours75
* significant at 10%; ** significant at 5%; *** significant at 1%
Figure 1. Demonstration of the Identification Strategy for the Endogenous Social Interactions.
### Appendix A. Descriptive Statistics

<table>
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<th>Variable</th>
<th>Observations</th>
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<th>Standard Deviation</th>
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<th>Maximum</th>
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